



Rationality, again



Suppose choice is:

- a) only via Web, 59 \$;
- c) print and web, 125 \$.

**% of «a» is... well above 25%
(approx. 50%)**



And now... the relativity illusion:

- a) only via Web, 59 \$;
- b) only print, 125 \$;
- c) print and web, 125 \$.

25% chooses a) and 75% c).

Rationality, again



25€

?



18€



Rationality, again



643€

?



636 €



MRS and p ?
No link!

2 (similar) large groups.
Noisy noise: 10 € vs. 90 €

- a) 10 € : 33 €;
- b) 90 € : 73 €;

MRS and p ??



Rationality, again

The famous «0» price

Social norms and market norms:
mentioning prices (see Sandel).



Emotional Attachments



Martin Shubik, «The Dollar Auction Game: A Paradox in Non-Cooperative Behavior and Escalation»,
Journal of Conflict Resolution (March 1971)



Again on (your) MRS



https://www.ted.com/talks/alessandro_acquisti_what_will_a_future_without_secrets_look_like?language=yi#t-2637

The surplus theory



?



The surplus theory

C, composite good, and T

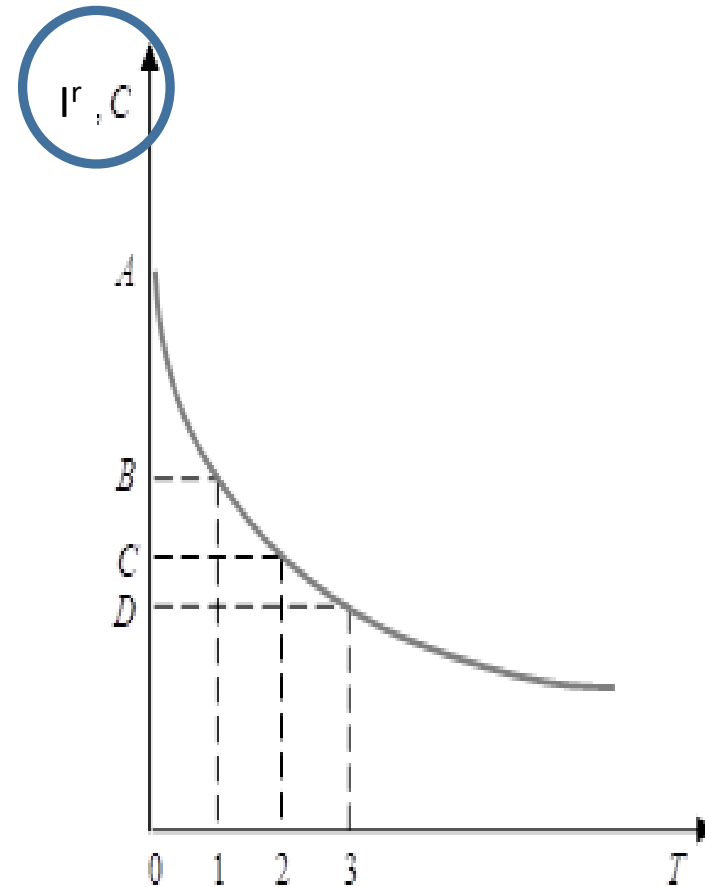
$$P_C \mathbf{C} + P_T \mathbf{T} = C + P_T T = I$$

with $P_C = 1$; C: «Marshallian money»

$$C = I - P_T T$$

For a given T° ,

$$\begin{aligned} I - P_T T^\circ &= C^\circ \text{ (max. consump. of MM)} \\ &= P_C C^\circ \text{ (max. spending on MM)} \\ &= I^r \text{ (residual income)} \end{aligned}$$

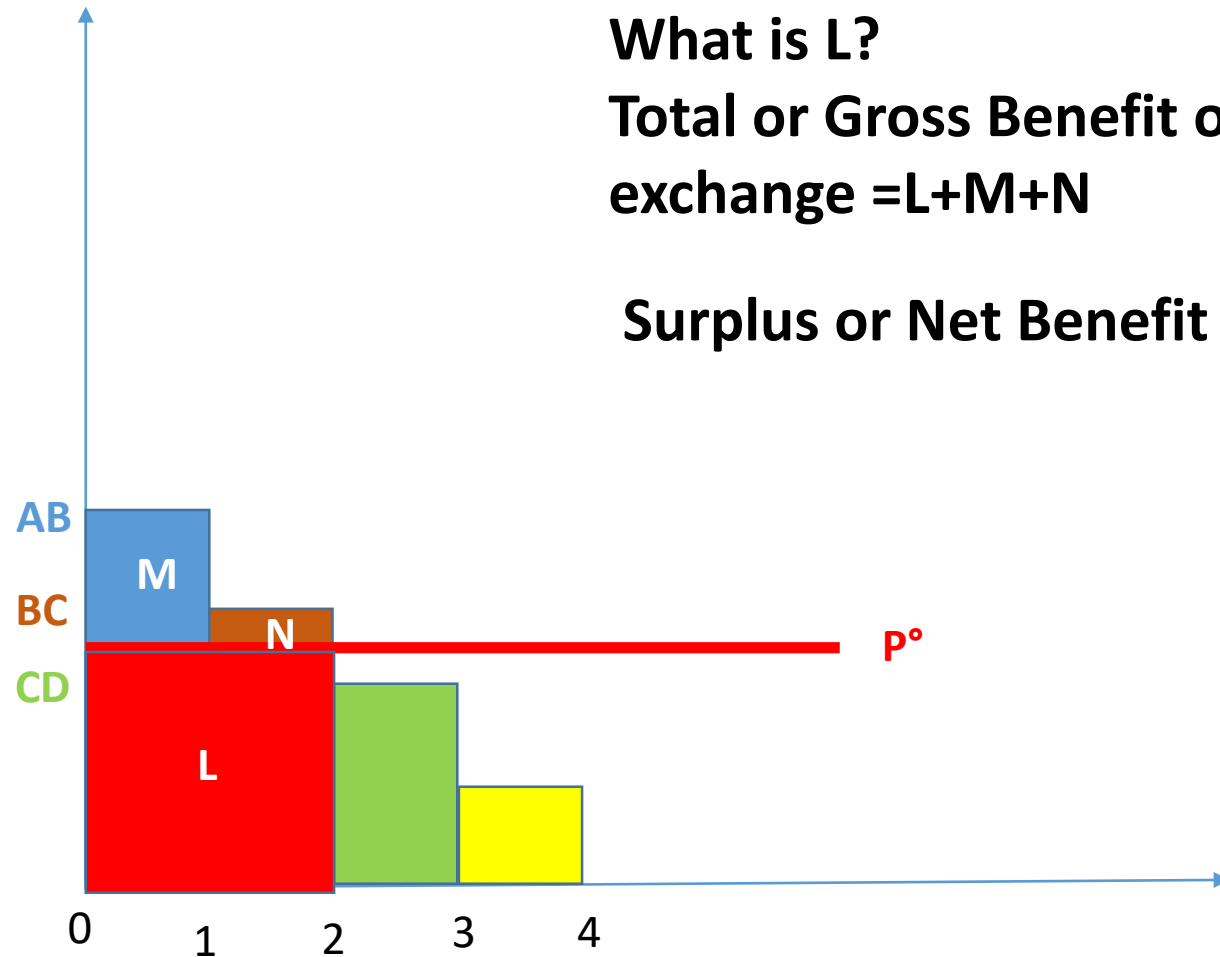




Surplus theory

Price €

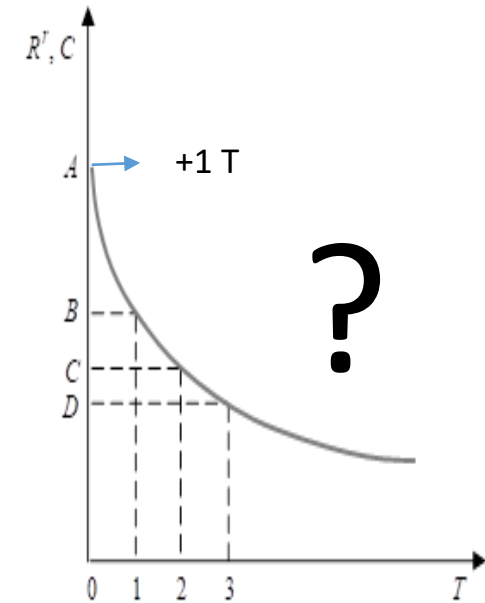
Availability
to Pay €



What is L?

Total or Gross Benefit of the
exchange = $L+M+N$

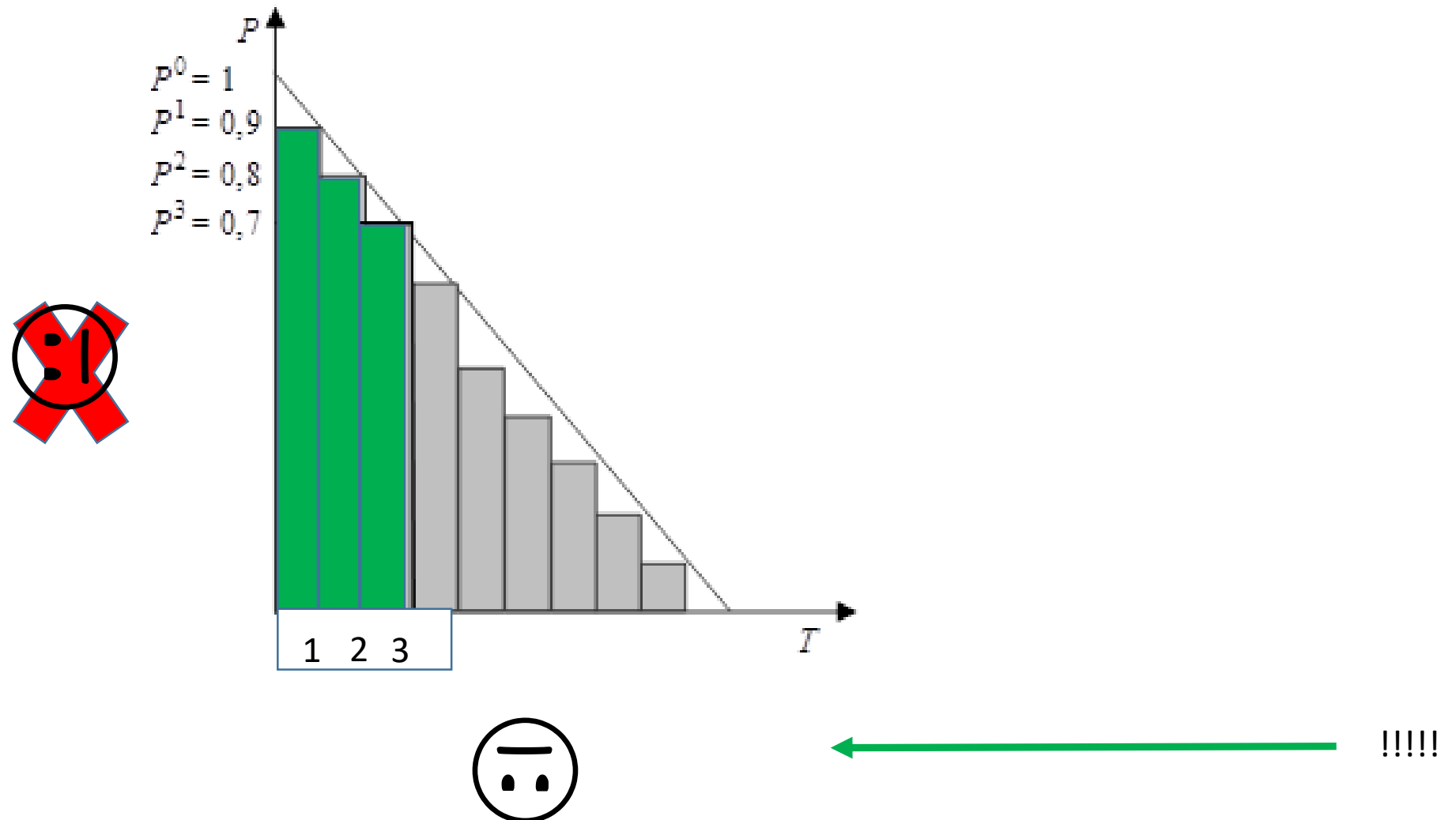
Surplus or Net Benefit = $M+N$



Consumer surplus. It represents the minimum amount of euro which the consumer would require to be willing to give up the consumption of the 2 hours of tennis lessons, without being damaged by the subtraction of this exchange opportunity. The consumer surplus therefore appears to be an objective measure of the subjective value of the exchange.

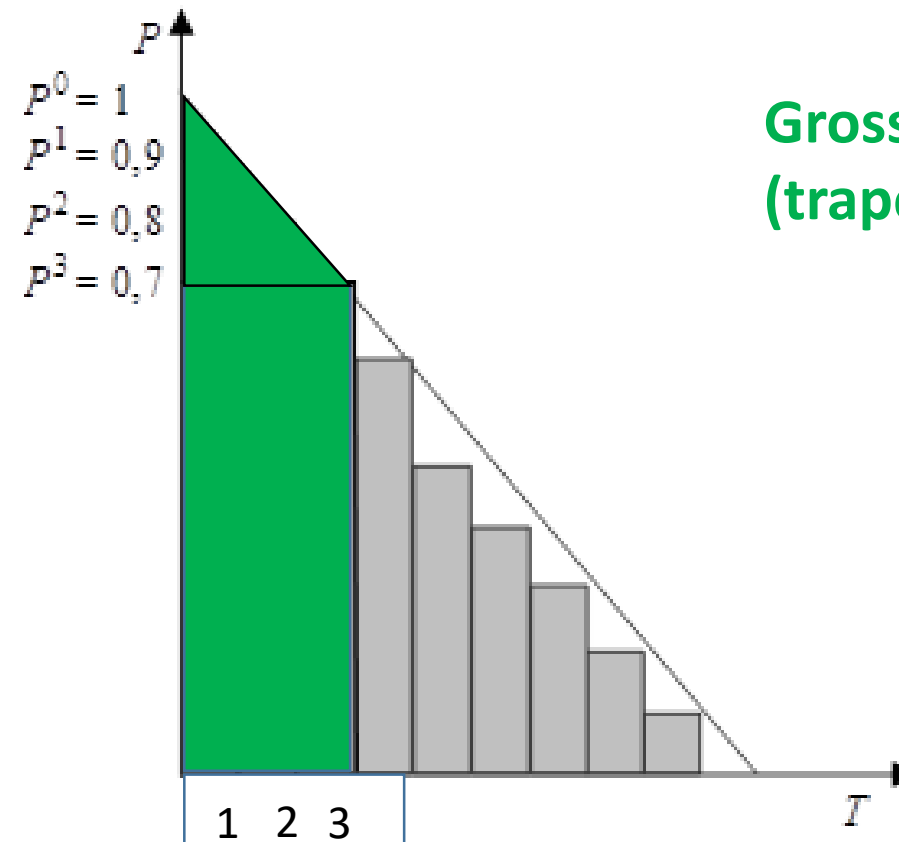


The demand curve ... revisited

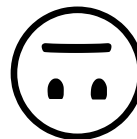




The demand curve ... revisited

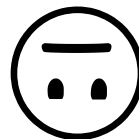
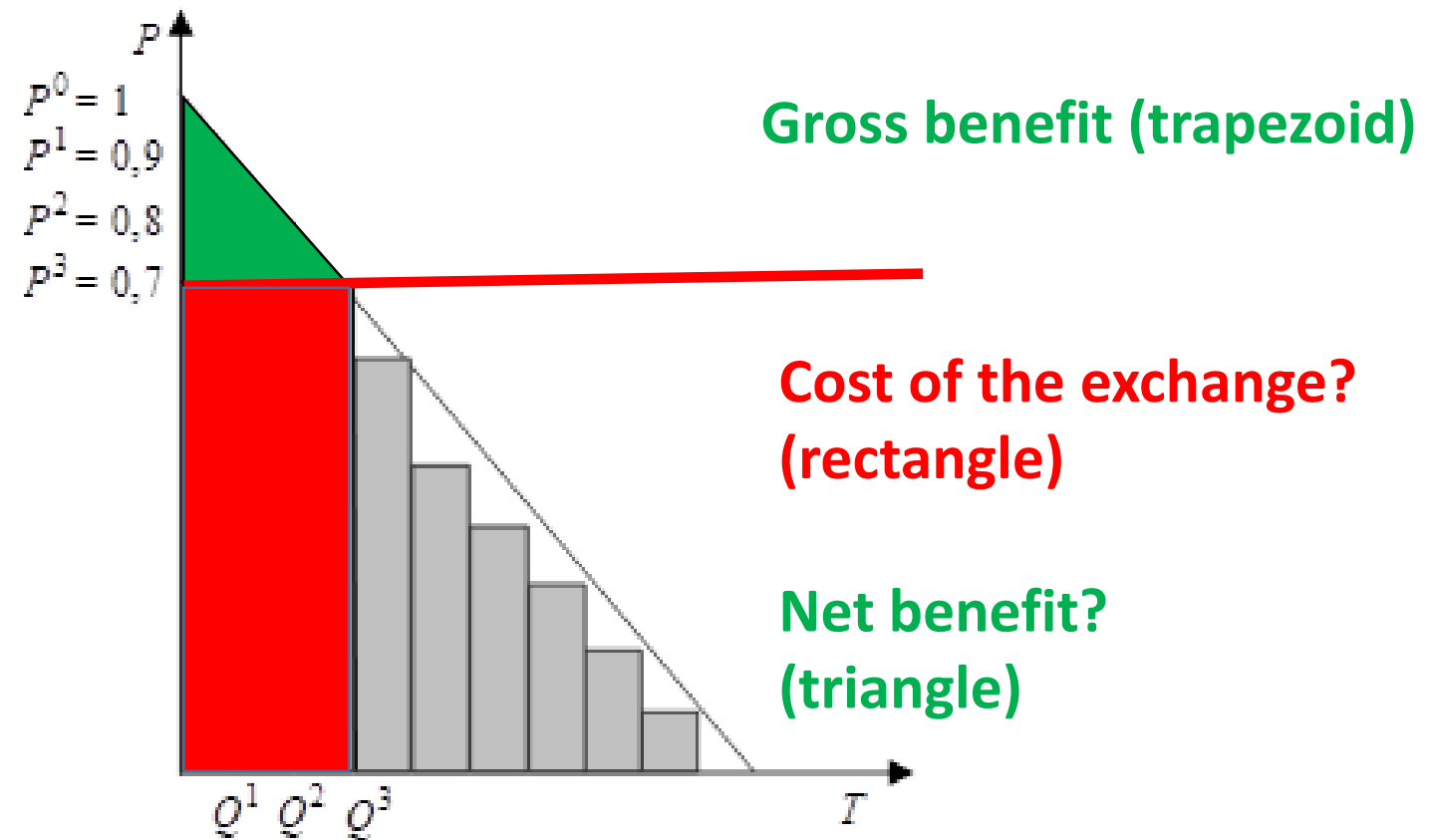


Gross benefit of the exchange:
(trapezoid)

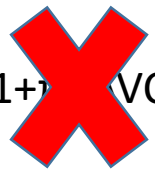


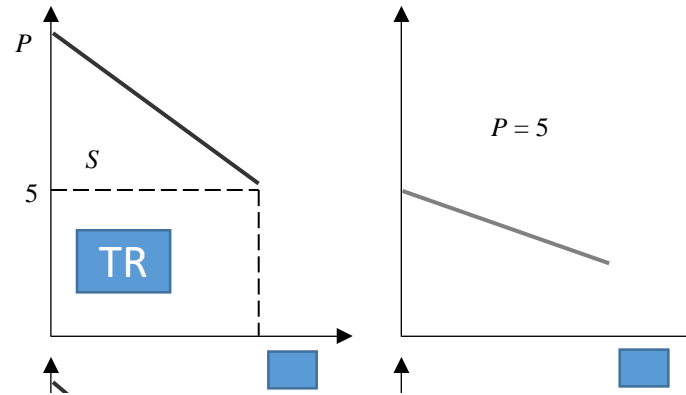


The demand curve ... revisited



The surplus practice – Information goods

$P = (1 + \text{VC})$ 



Strategy 1 – One
only price , $P = 5$

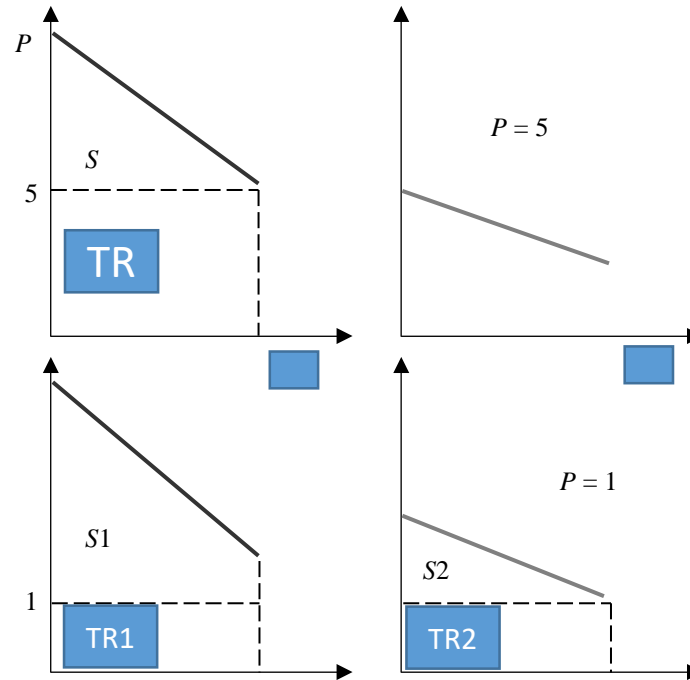
What price strategy to adopt?

The role of the different
elasticities of different groups
of consumers and the
connected market
segmentation according to
the willingness to pay of
consumers.

Information goods: those
goods whose content can be
digitalized. Like books,
datasets, papers, movies, web
sites



The surplus practice



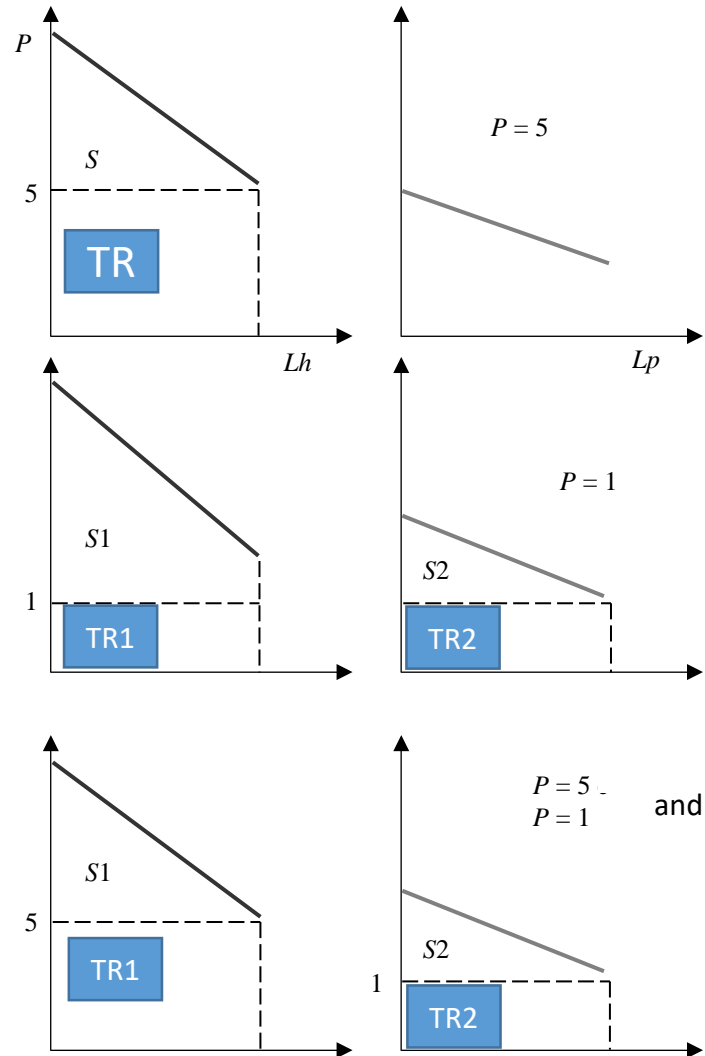
Strategy 2 – One
only price , $P = 1$



The surplus practice

Lh = hardback edition

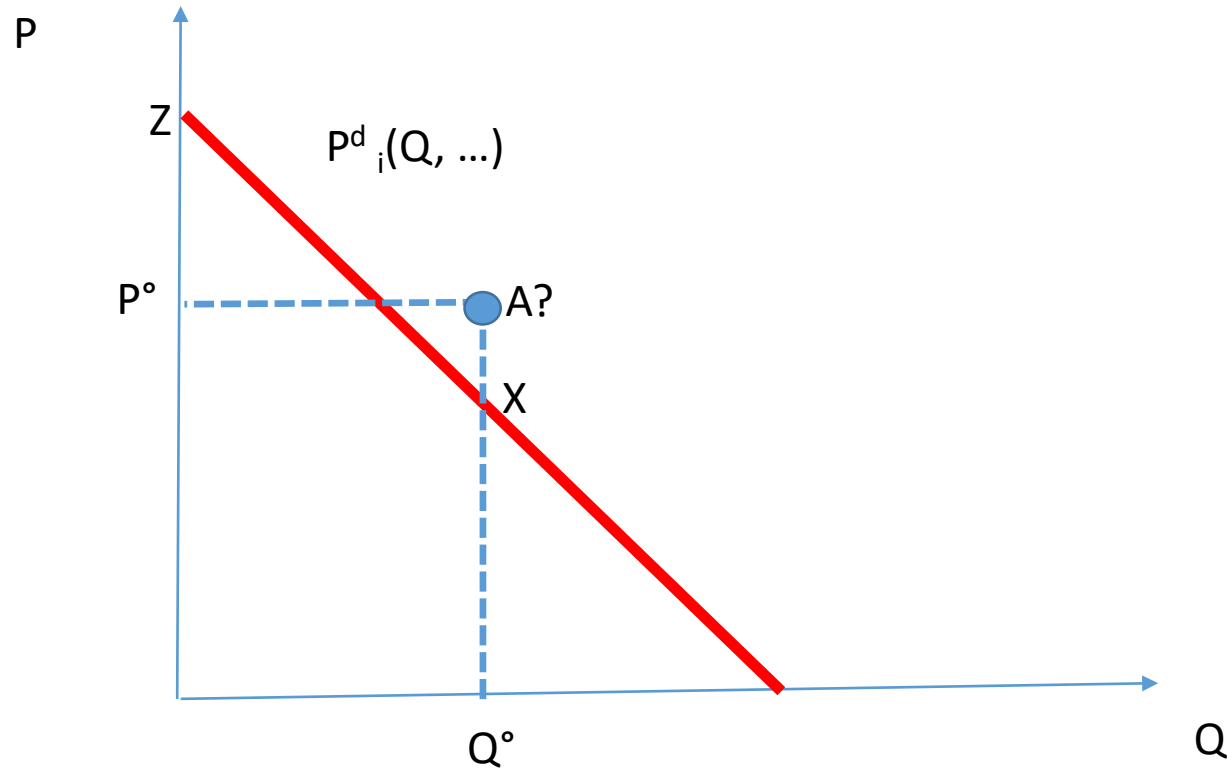
Lp= paperback edition



Strategy 3 – Two prices

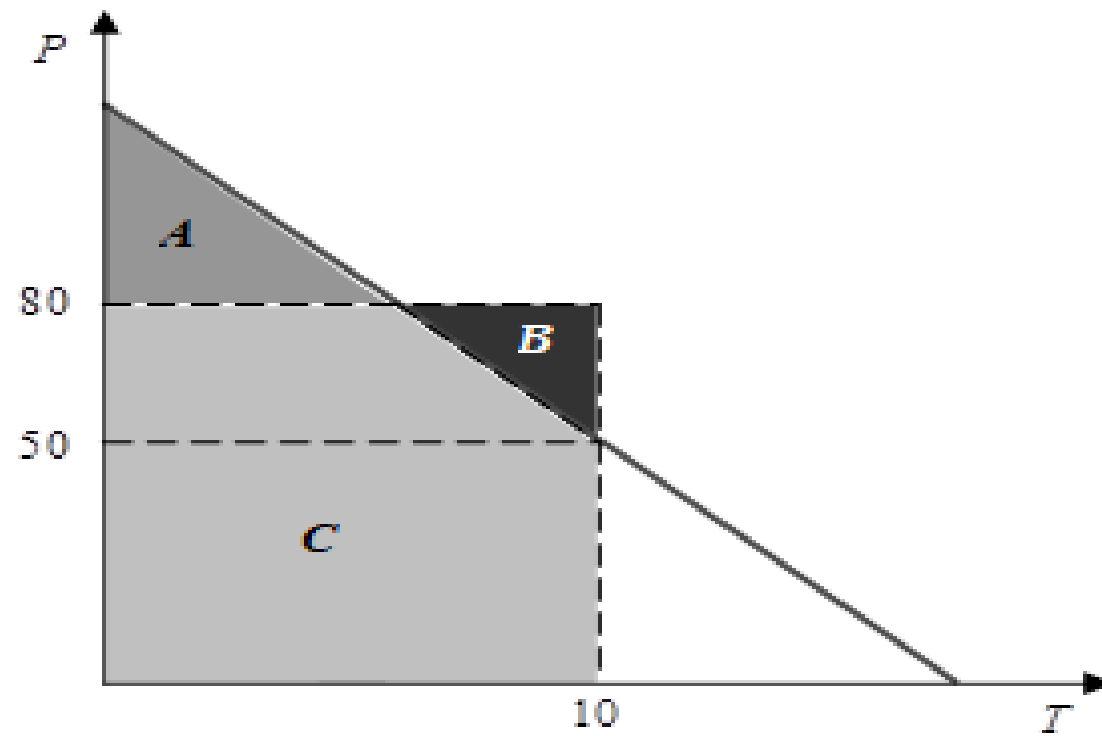


Take it or leave it?



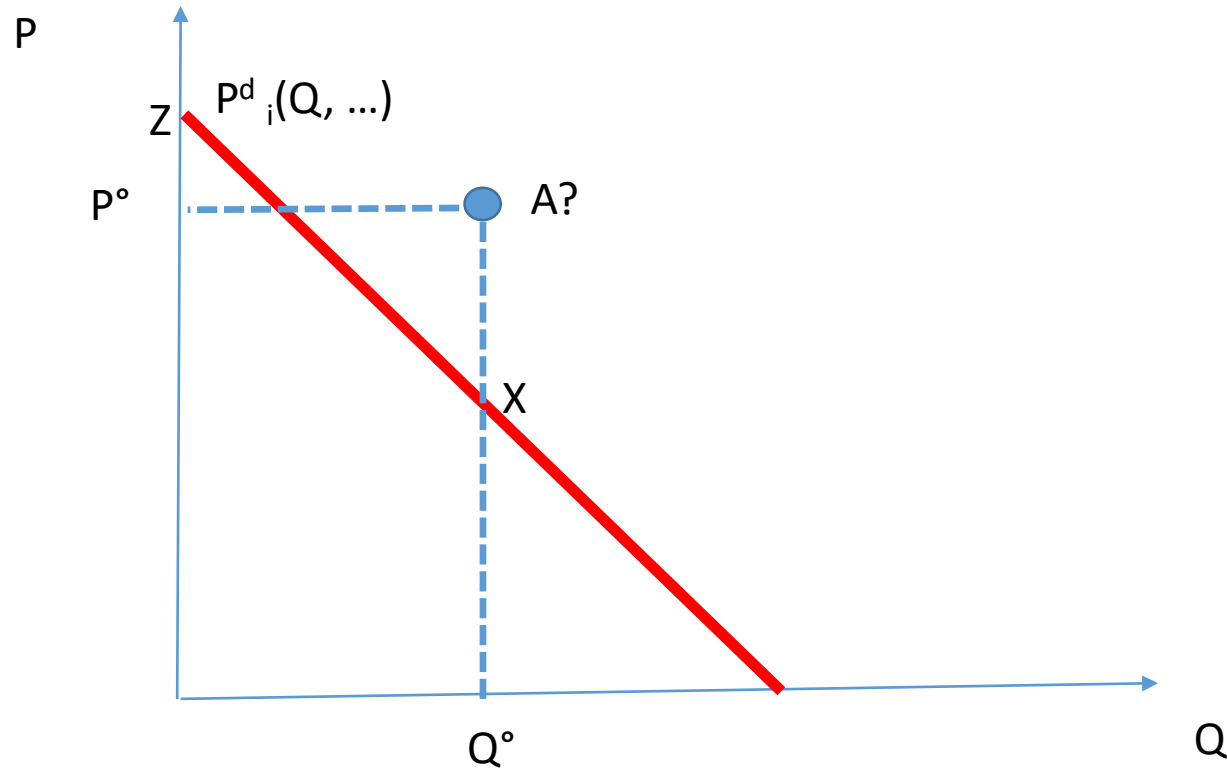


Take it!



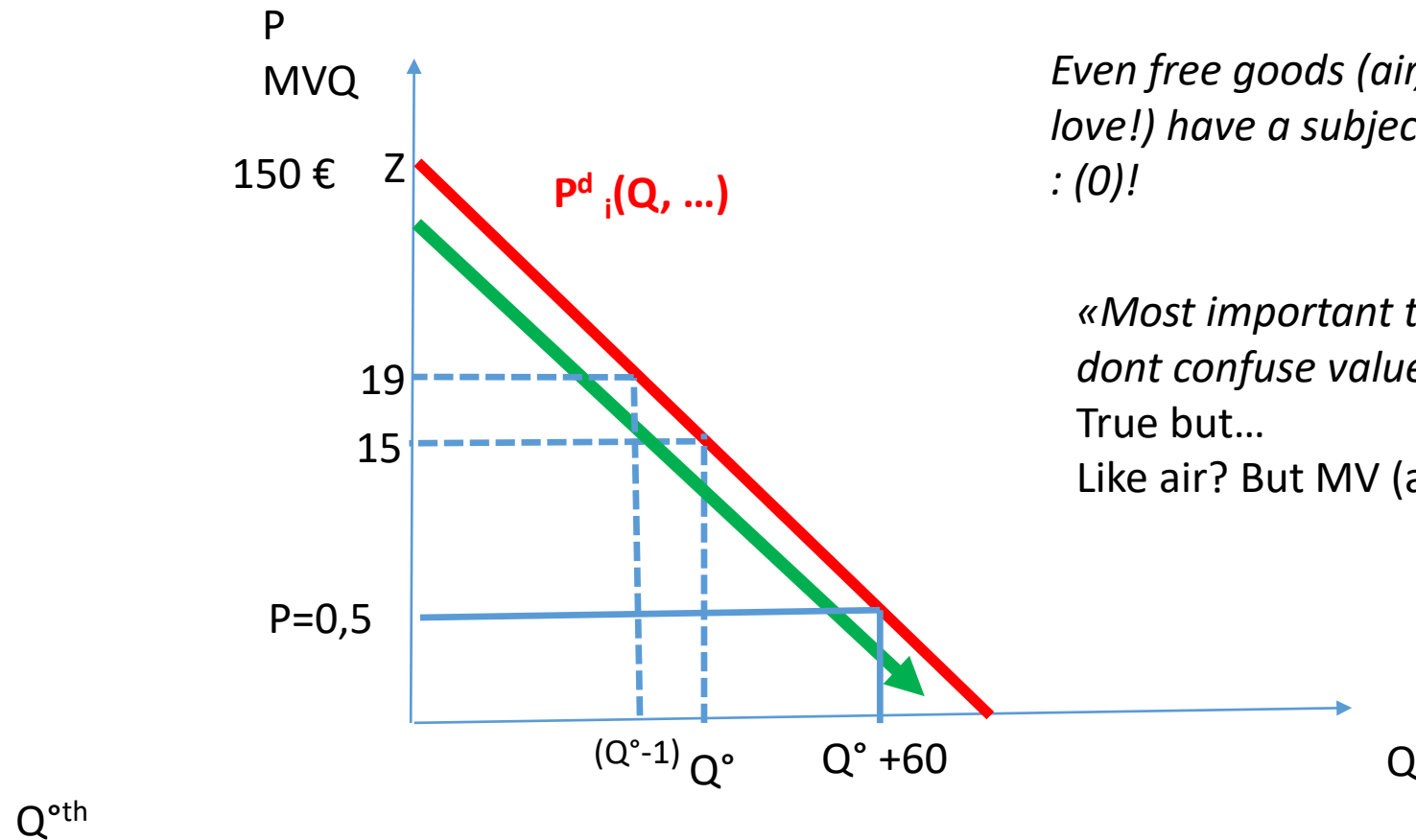


What about now?



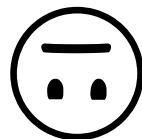


Decreasing demand curves



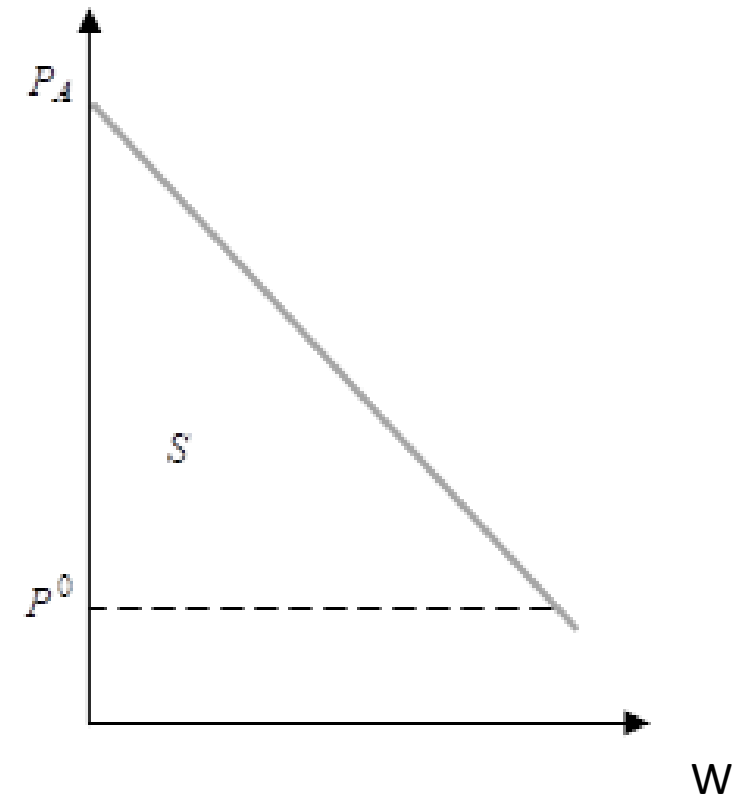
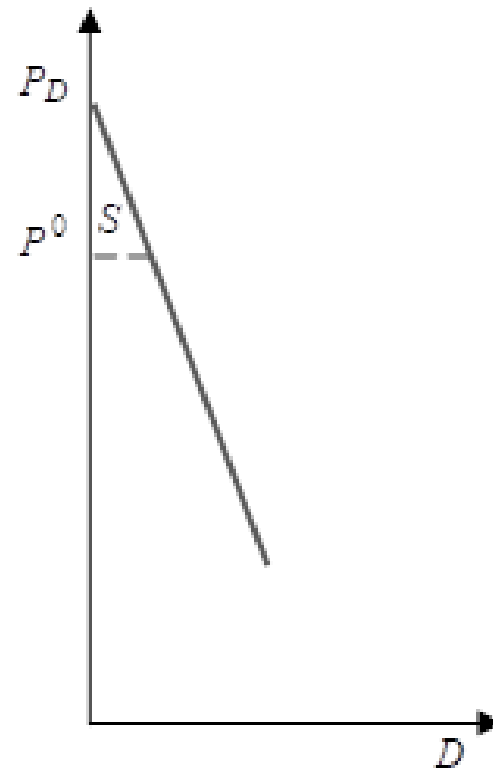
Even free goods (air, company-cleaned car, not love!) have a subjective Marginal Value = price ... : (0)!

*«Most important things in life have no price:
dont confuse value and price»
True but...
Like air? But MV (air) = ... zero*





The surplus practice: Diamonds and Water





Chapter 4

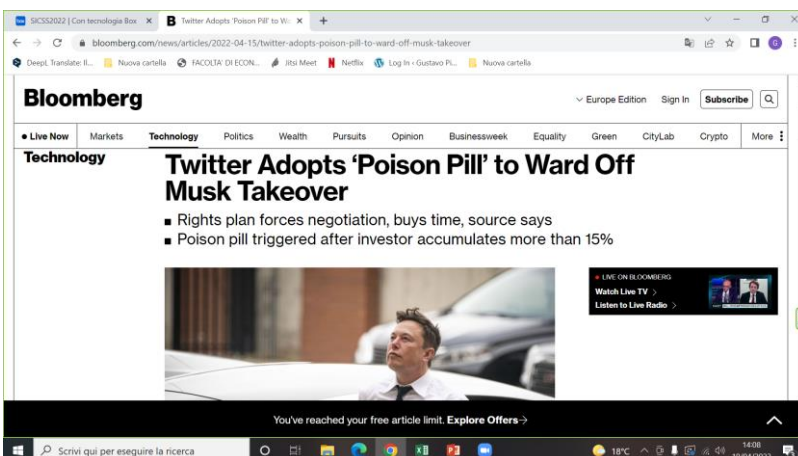
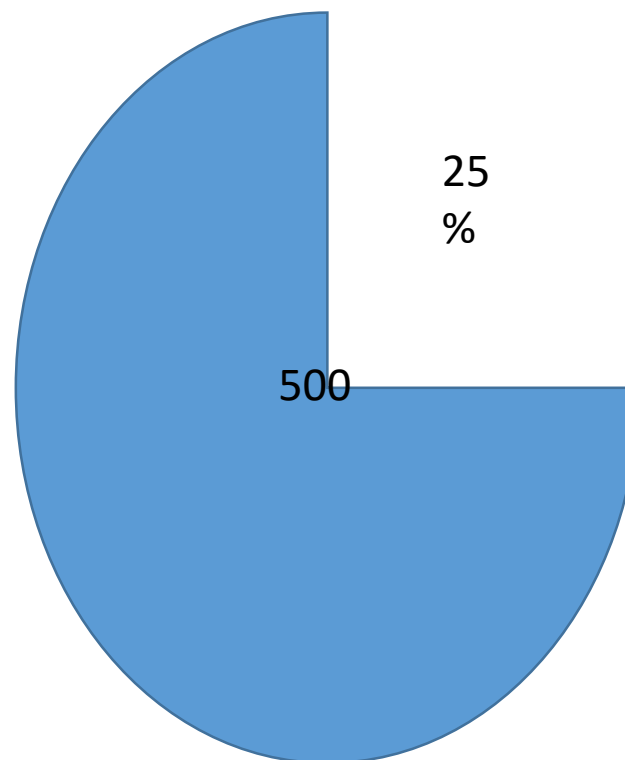
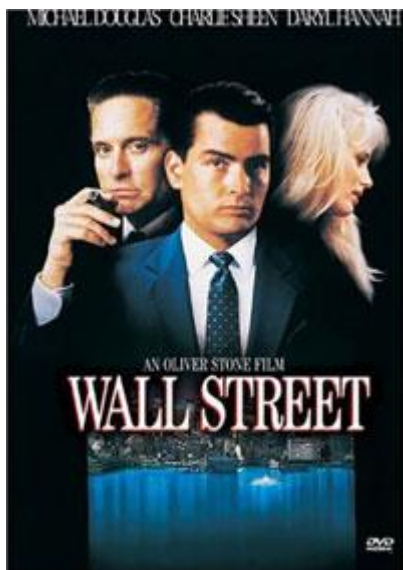
The profit's math

Q^* such that:

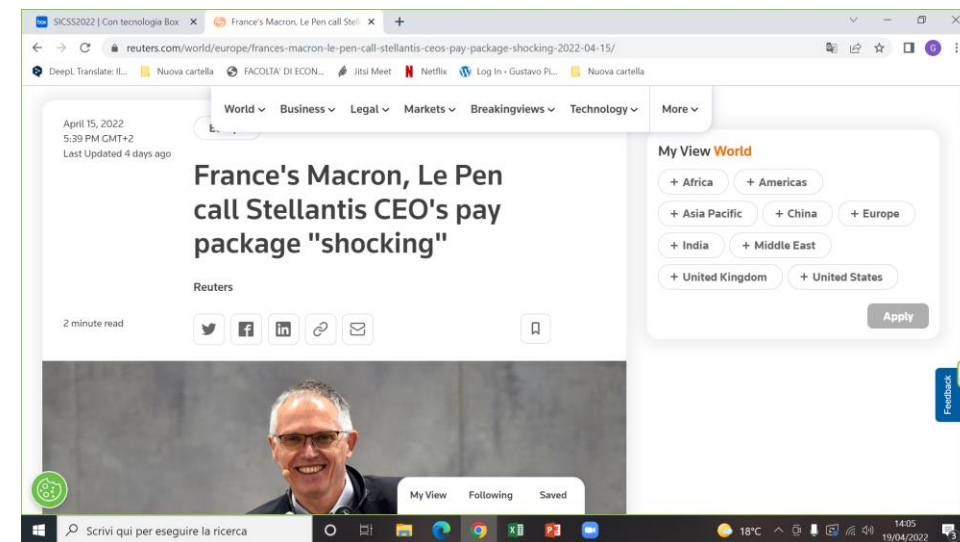
$$\text{Max } \Pi (Q) = P(Q) \mathbf{Q} - \text{TC} (\mathbf{Q})$$

Really?

Managers and firms



Mr. Stock Option,
Sundar Pichai





$$\text{Max}_Q \Pi(Q) = TR(Q) - TC(Q)$$

Q^* such that

$$\frac{\delta TR(Q^*)}{\delta Q} - \frac{\delta TC(Q^*)}{\delta Q} = 0$$

$$\text{MgR}(Q^*) = \text{MgC}(Q^*)$$

$$TC(Q) \equiv \min TC(Q)$$

The math of profits

If $MgR(13) = 240 \text{ €}$ and $MgC(13) = 200 \text{ €}$ and
 $\Pi(13) = 3450 \text{ €} \dots$

$$\begin{aligned}\Pi(14) &= \dots ? \\ &= 3490 \text{ €}\end{aligned}$$

If $MgR(100) = 10 \text{ €}$ and $MgC(100) = 12 \text{ €}$ and
 $\Pi(100) = 3450 \text{ €} \dots$

$$\begin{aligned}\Pi(99) &= \dots ? \\ &= 3452 \text{ €}\end{aligned}$$

Costs? No, opportunity costs

The value of everything that the entrepreneur has to give up to, for the production of that specific quantity, i.e. for gauging whether to be an entrepreneur.

Not just how much and how, but

IF

to produce: if $[Q^s(P) > 0]$.

The normal profit and the economic one

- a) 25.000 euro per year with no effort to teach my lectures.
- b) As an entrepreneur I earn revenue equal to 50.000 euro from my business and need to pay 30.000 euro to my employees.

In our example 25.000 euro is the “normal profit” of the entrepreneur, i.e. the profit that can be obtained in the best available possible alternative (in this case the professor activity).

The normal profit is thus an opportunity cost for the entrepreneur that desires to launch a new activity.

Let us define economic profit (such that, if positive, leads to become an entrepreneur):

$$\begin{aligned}\text{Economic Profit} &= \text{Total Revenues} - \text{Total Opportunity Costs} \\ &= \text{Total Revenues} - (\text{Normal Profits} + \text{All Other Opportunity Costs})\end{aligned}$$

In our example, economic profit is equal to? And what if revenues were to equal 55.000 euro?
-5000;0

Economic Profit > 0 ?

Total Revenues – Total Remaining Opportunity Costs > Normal Profits

$$50.000 - 30.000 < 25.000 \quad 55.000 - 30.000 = 25.000$$

Extra-profit and Economic Profit

Economic Profits > 0

Total Revenues – (Normal Profits + Total Remaining Opportunity Costs) > 0

Total Revenues – Total Remaining Opportunity Costs $>$ Normal Profits

Economic Profits > 0



Extraprofits!

Revenues = 100.000 euro

Employees Costs = 40.000 euro

Ownership of office building that could be rented at 10.000 euro. Normal profits baby-sitting friends' kids 50.000 euro.

Economic profits?

$[100.000 - 40.000 - 10.000 - 50.000] = 0.$

No extra-profits

Revenues = 200.000 euro.

Employees costs = 180.000 euro.

Renting of garage = 30.000 euro

SUNK COST

Independently of whether I stay in the market or not as an entrepreneur, having already subscribed a location contract.

Accounting profit?

-10.000 €

Economic Profit?

+20.000 € (lower losses compared to not being an entrepreneur)



1) How much to produce and 2)
how to produce it

Always together, never separate:
 $\max \Pi$ and $\min TC$ (but be aware!)

We will separate them, ever so
briefly.

The realm of engineers



No guns!

The production process consists on the use and combination of resources (also called **inputs** or production factors) aimed at creating a new resource (also called **output**).

Output (Y) has a temporal dimension: 10 units per hour, week, year, etc. That is, the output is a **flow**.

Similarly for the inputs (X, either K or L).

For the raw materials - consumed entirely in the production process - used in the production process, 100 tons of steel (or, in the future, polypropylene) are used per day to produce Y Fiat per day in that factory.

For capital (also called K) such as machines that are not consumed entirely in the production process, we will talk about the services per unit of time provided by the machine: a tractor is used for X machine-hours per day, per week, per year. We will call the **production capacity** of a durable good the maximum amount of services for production that can potentially be obtained from it in each period.

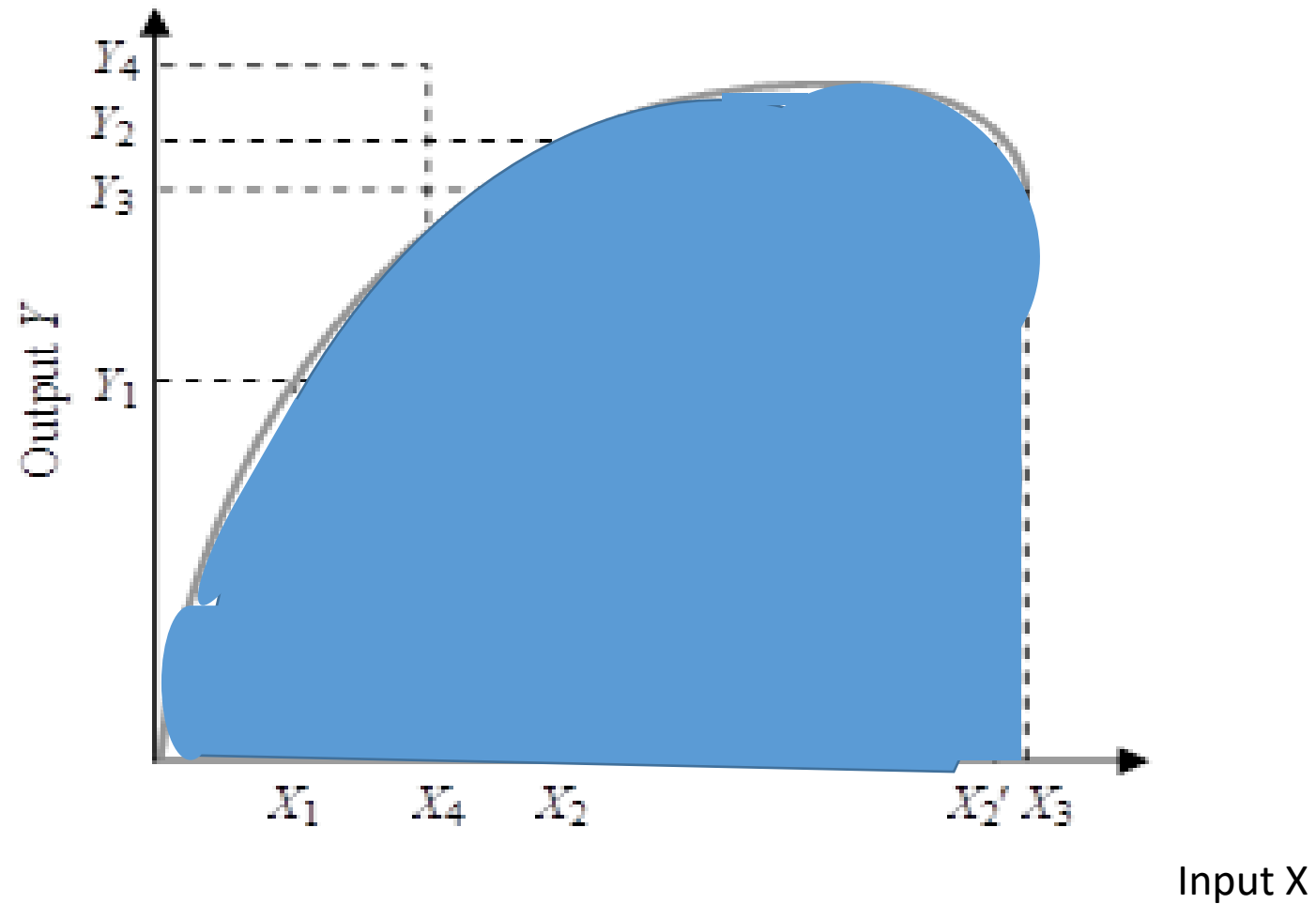
Similarly, for labor (L) factor services we will talk about hours worked per day, per week, per month, etc.

There are different ways of transforming an input or a combination of inputs in an output: the relationship (between) all **available** input and output combinations to the entrepreneur is called "**technology**", her/his "science" or ... art.

Technological progress. We will call technological progress any change which allows the production of a certain quantity of output with a smaller quantity of input, or the production of new higher quantities of output - that were not previously producible - with a given amount of input.

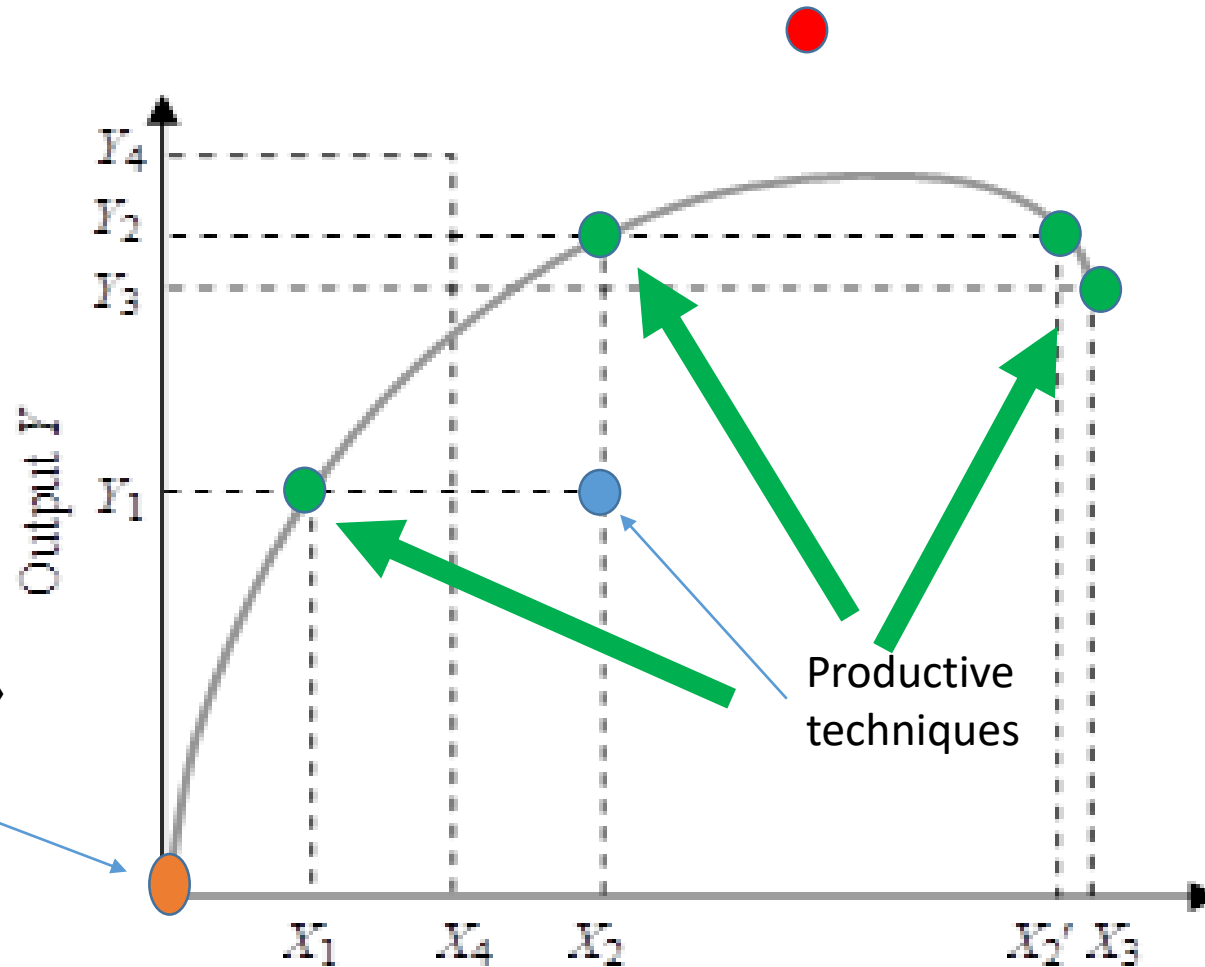
The set of all achievable combinations of outputs and inputs deriving from the available technology ("**productive techniques**") is defined as "**production set**".

The production set





Productive techniques



The «no-land of plenty»
assumption.

The perfect divisibility assumption.

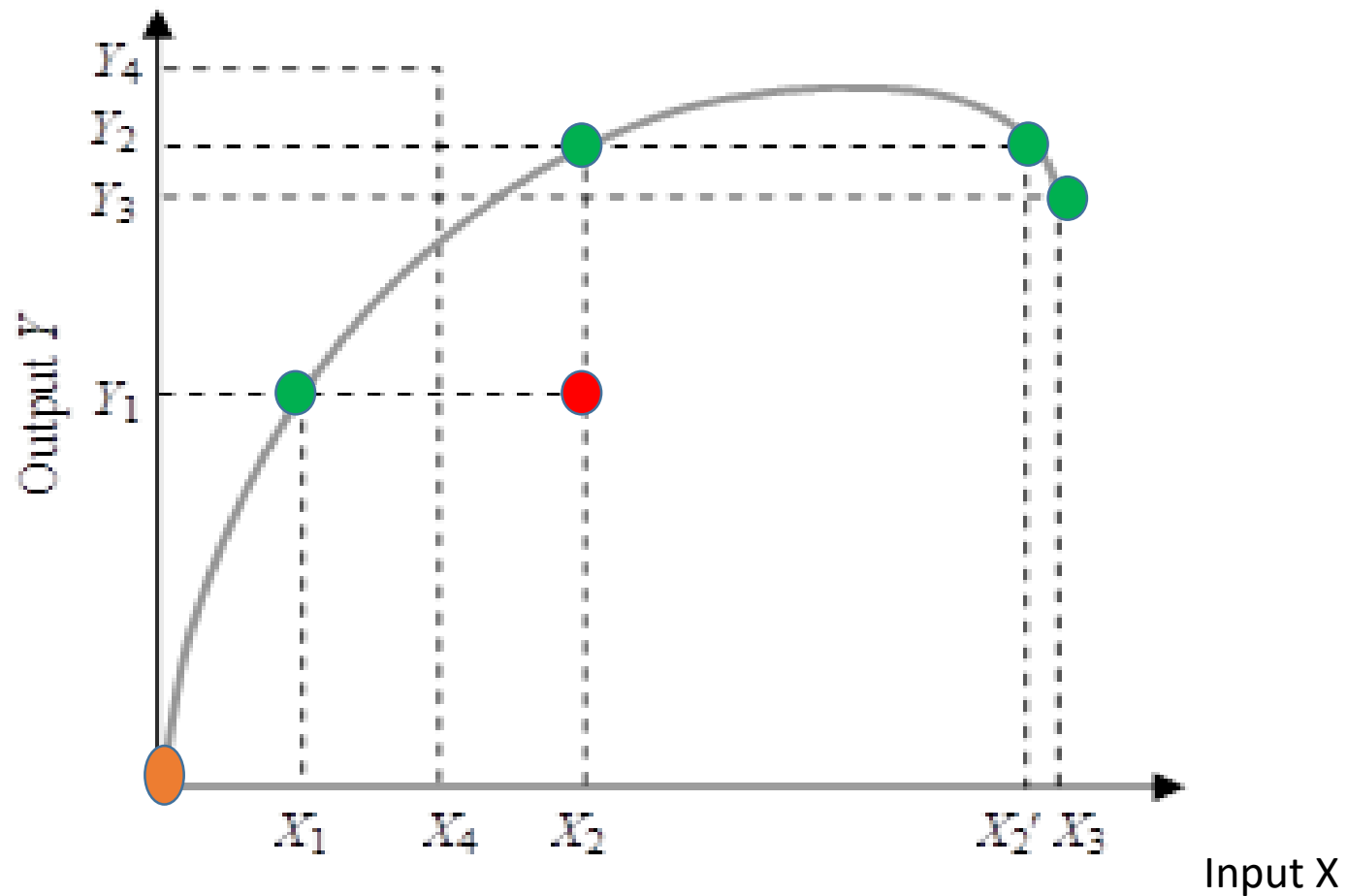
How to
produce a
given Y ?
 X^* ?





Output-efficiency and the production function

$$Y^{\max} = f(X)$$





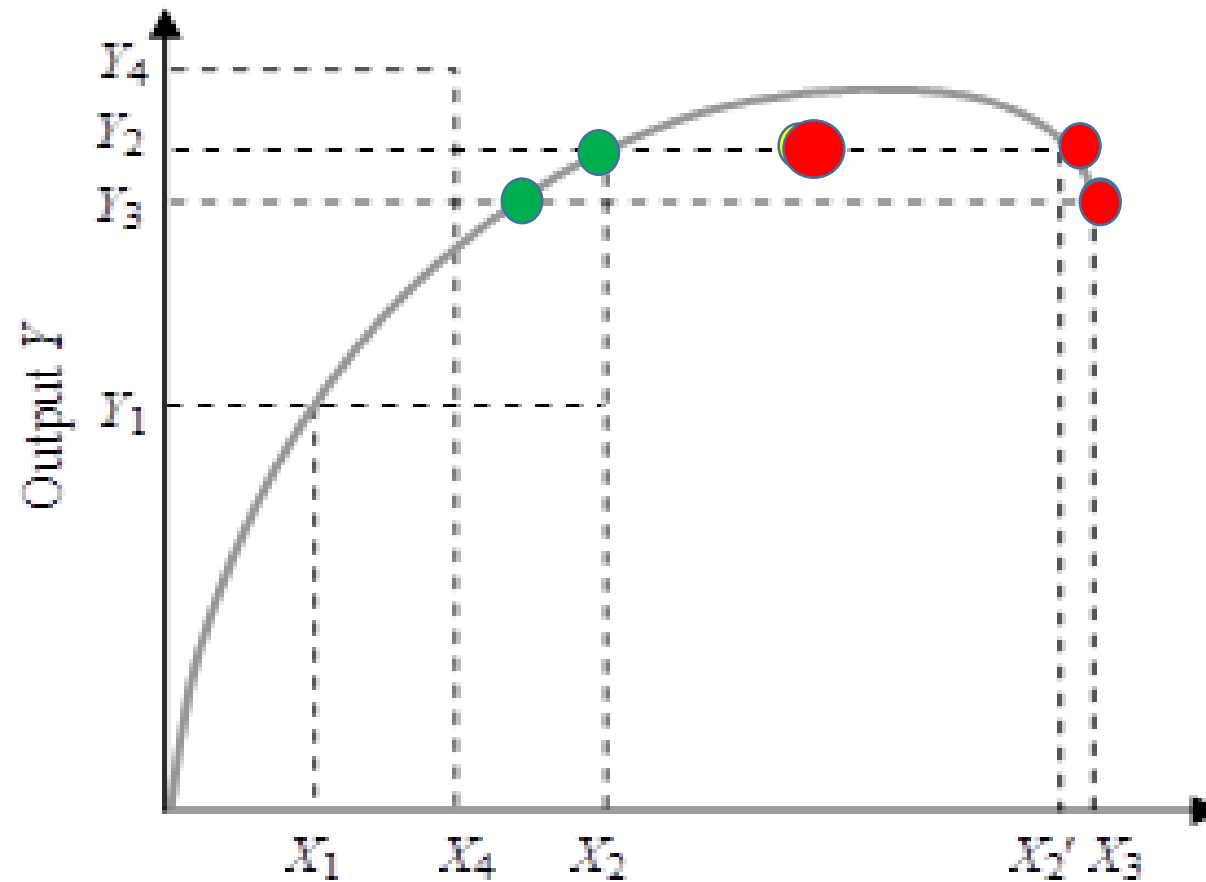
Interacting with ... cost-cutters



Up in the Air (2009)

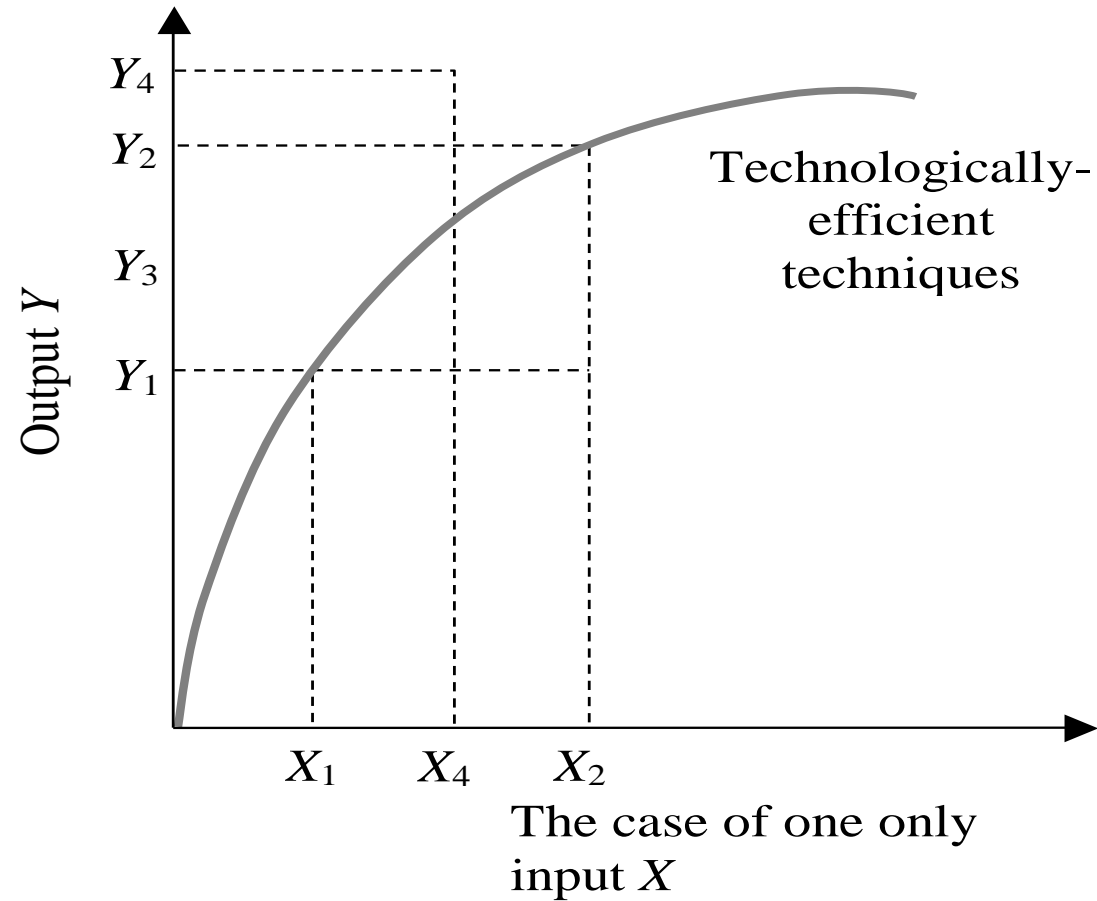


Technological efficiency





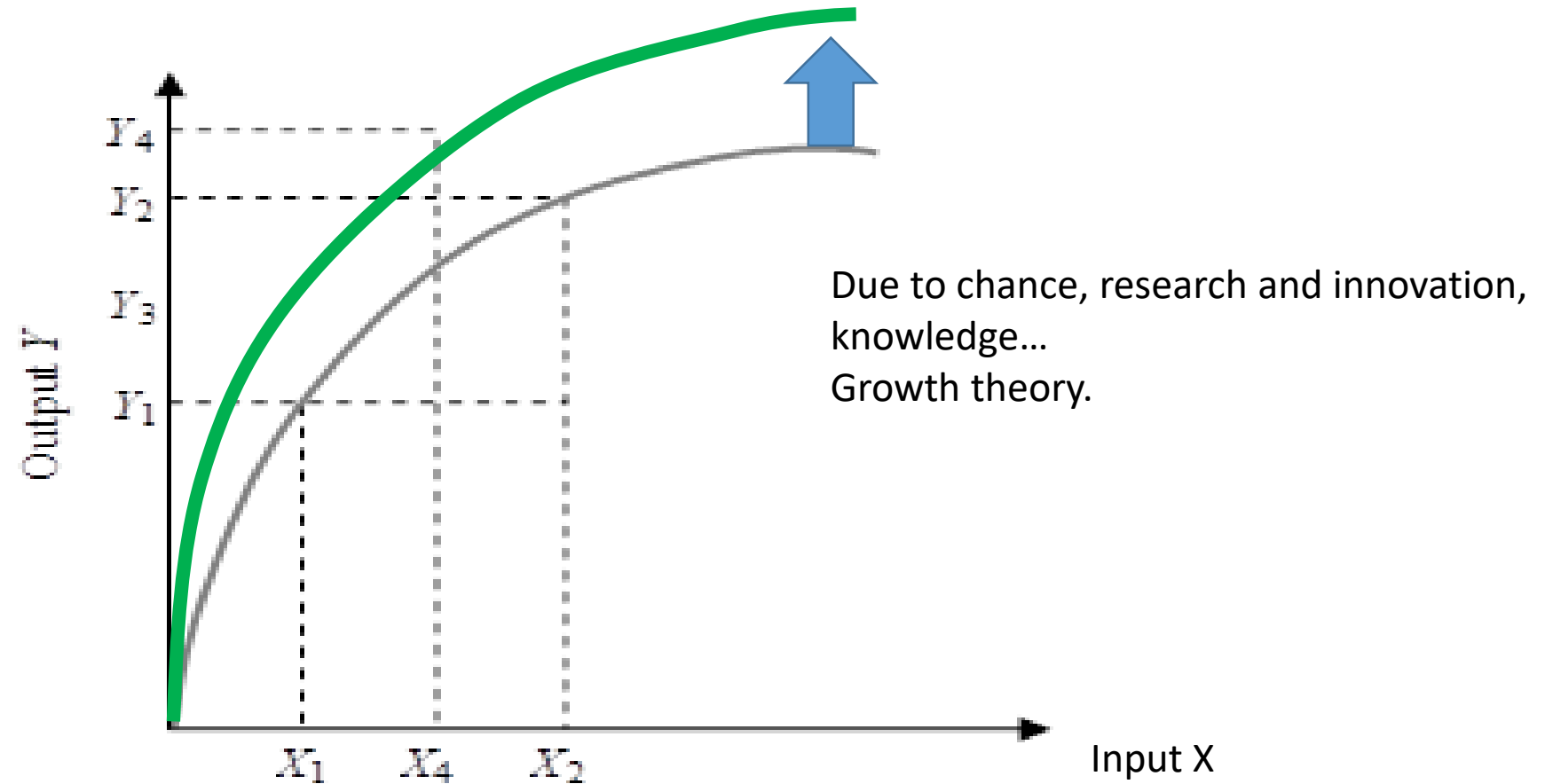
The technologically efficient productive techniques





PS: Technological Progress

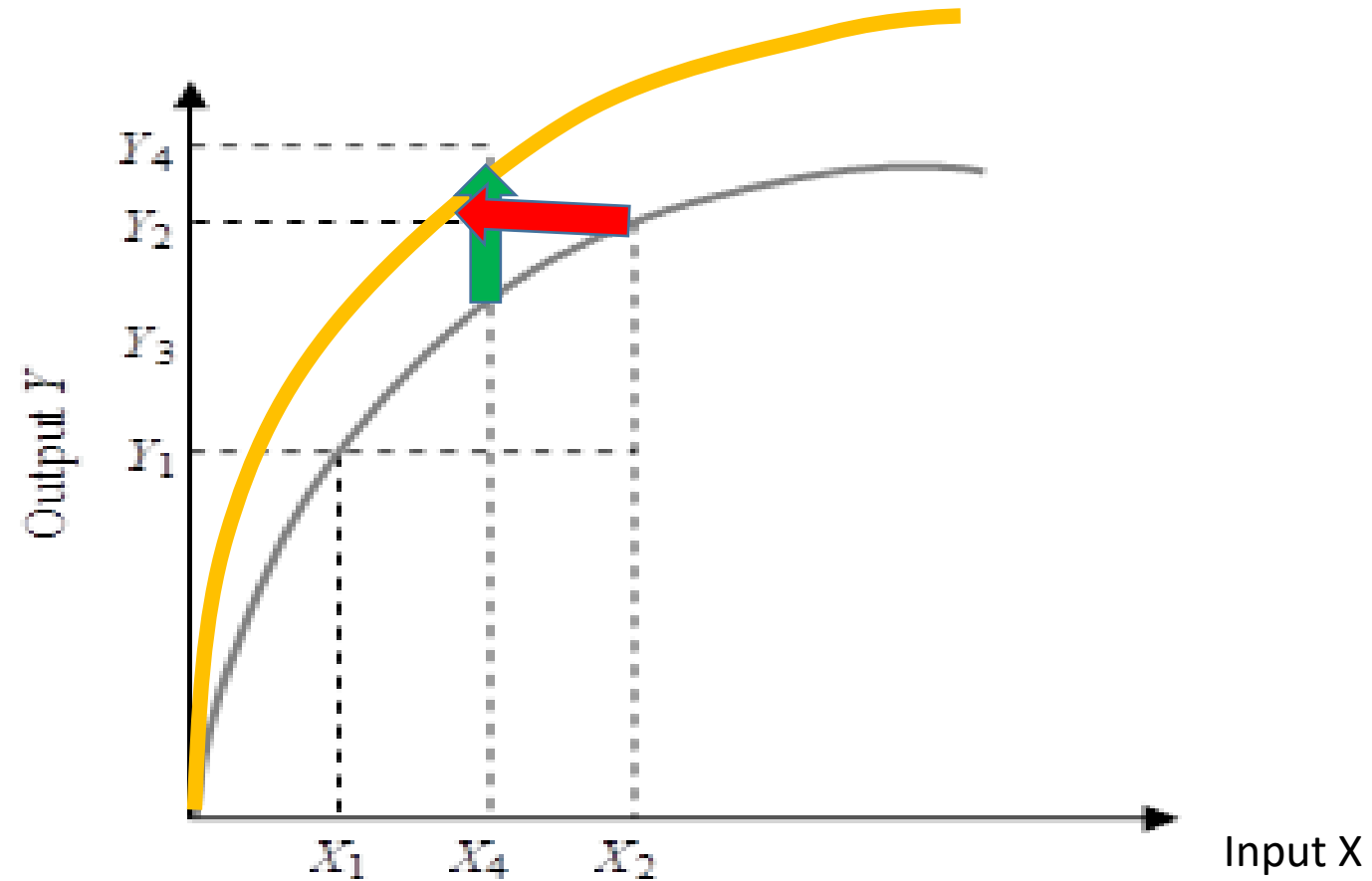
The 1-input case





Technological Progress: the AI debate

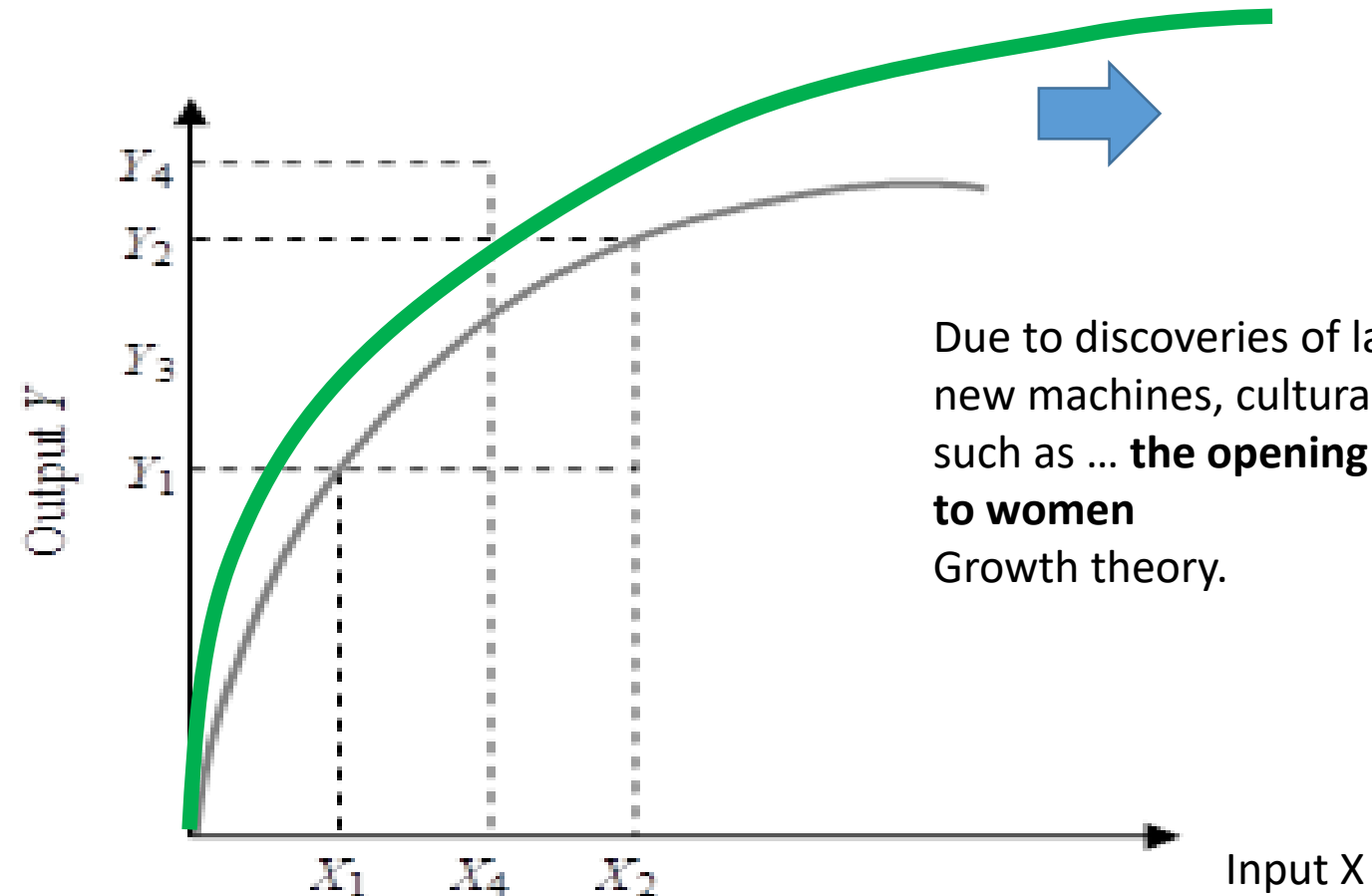
Good or bad?





PS: New Factors of Production

The 1-input case

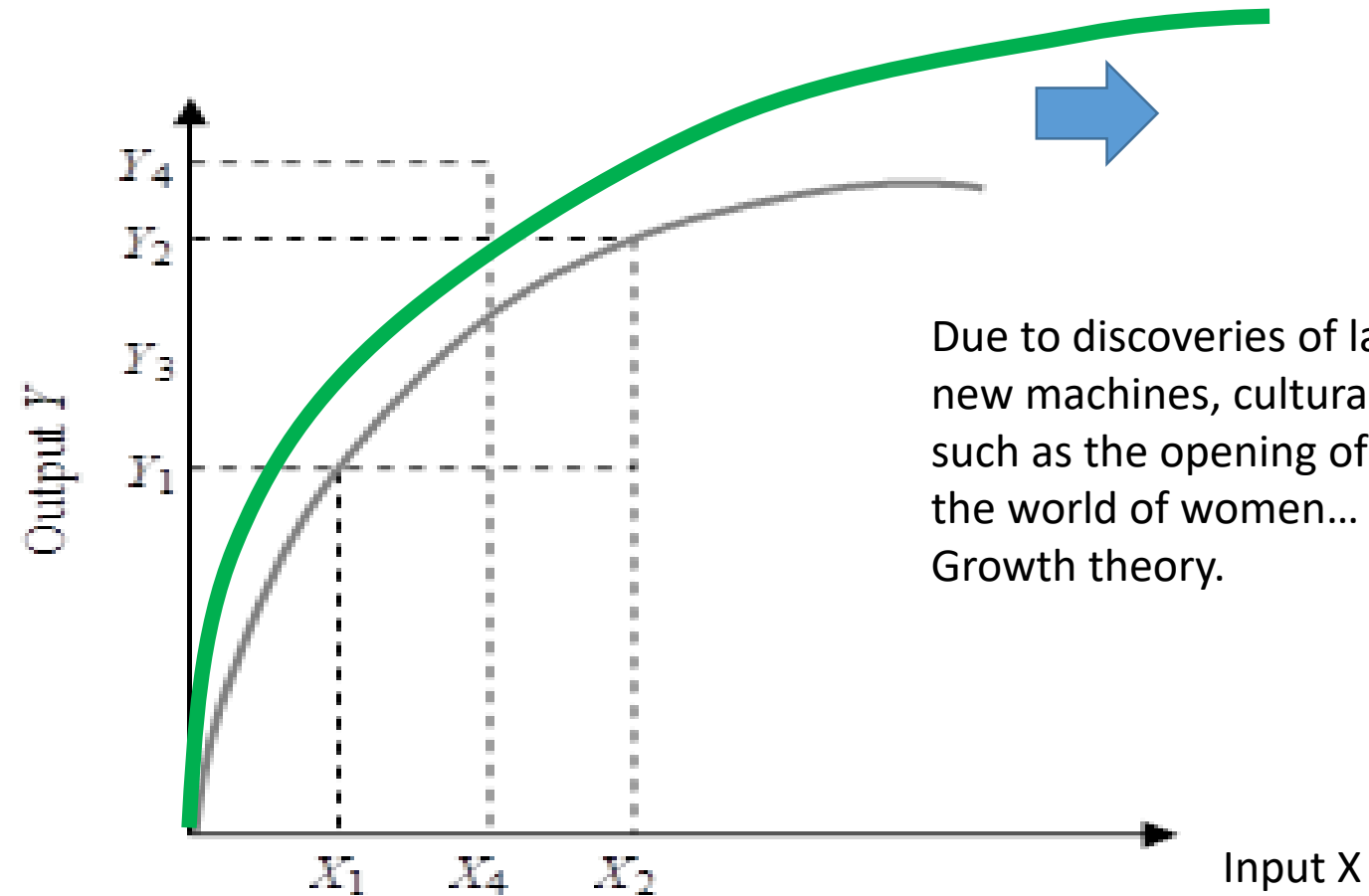


Due to discoveries of land, investment in new machines, cultural changes in society such as ... **the opening of the labor market to women**
Growth theory.



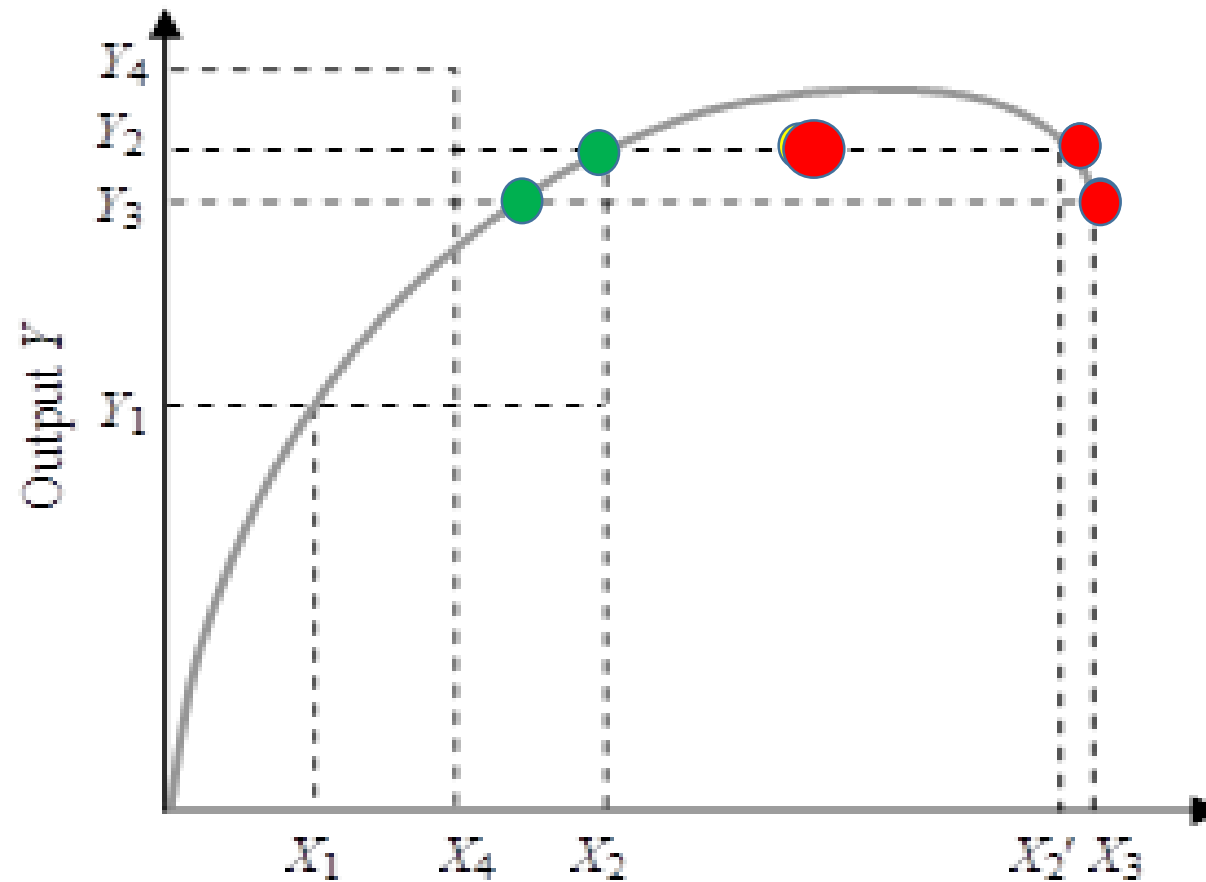
PS: New Factors of Production

The 1-input case





Technological efficiency

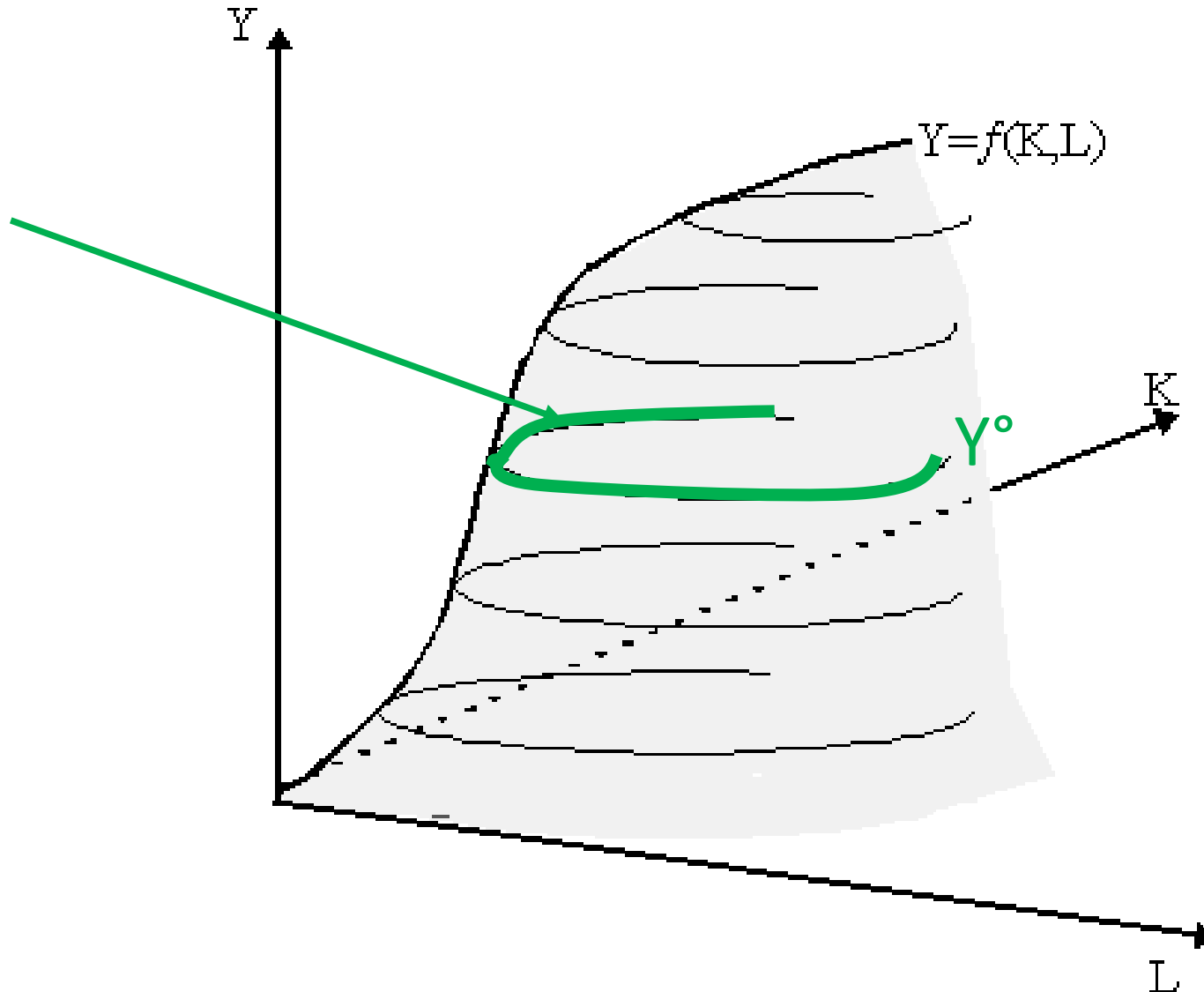




2 inputs- production function

Level curve:
 $Y^{\circ} = f(K, L)$

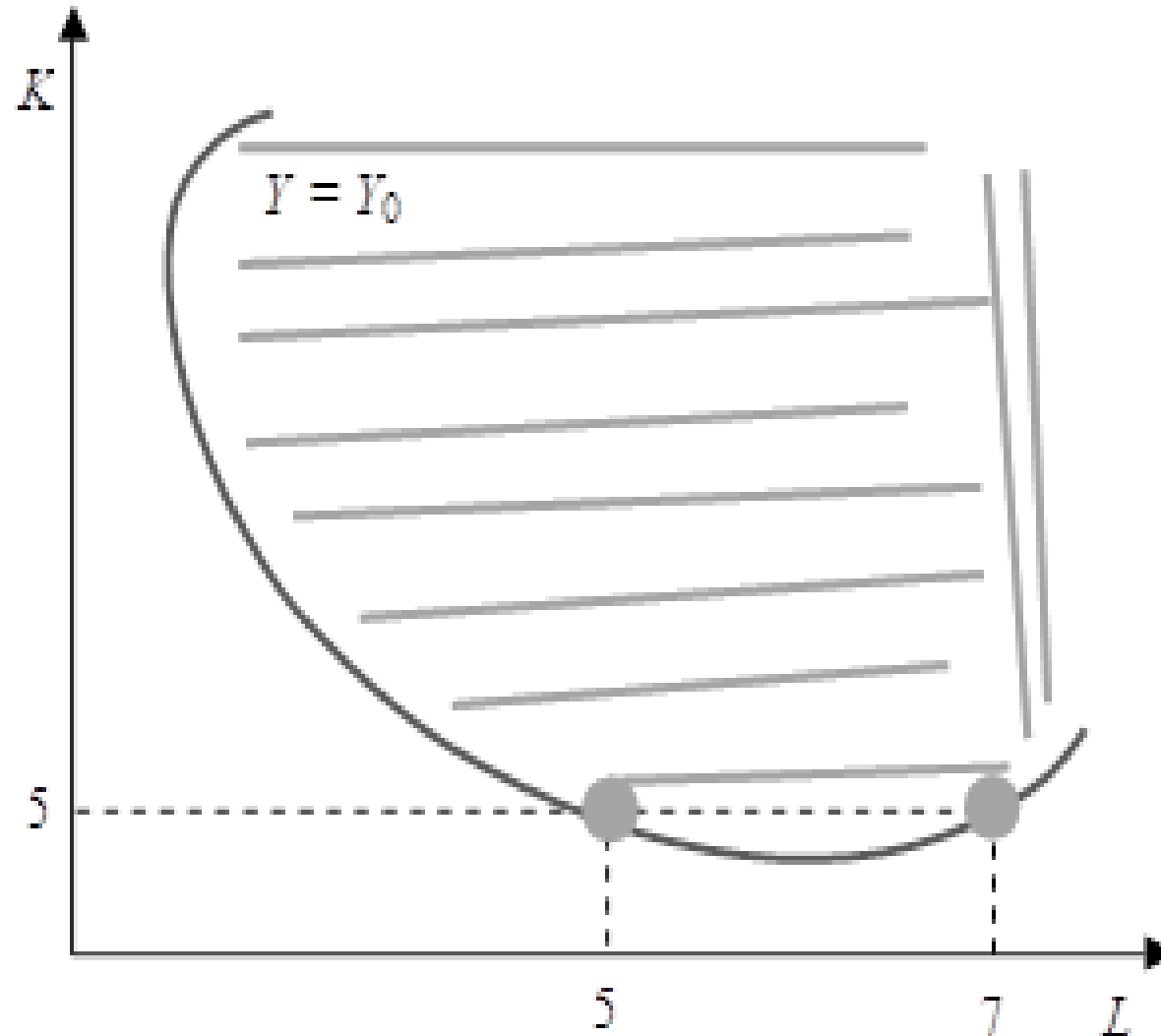
Many (K,L)
combinations
guarantee a
given Y° as
maximum
output, not
one only.



$$Y^{\max} = f(K, L)$$

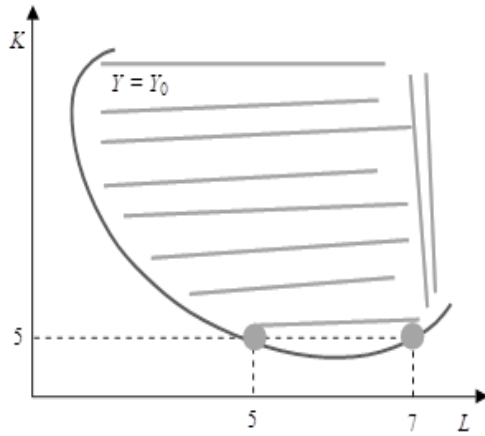


An Isoquant: an output efficient locus





Along the Isoquant



$$Y^{\max} = f(K, L)$$

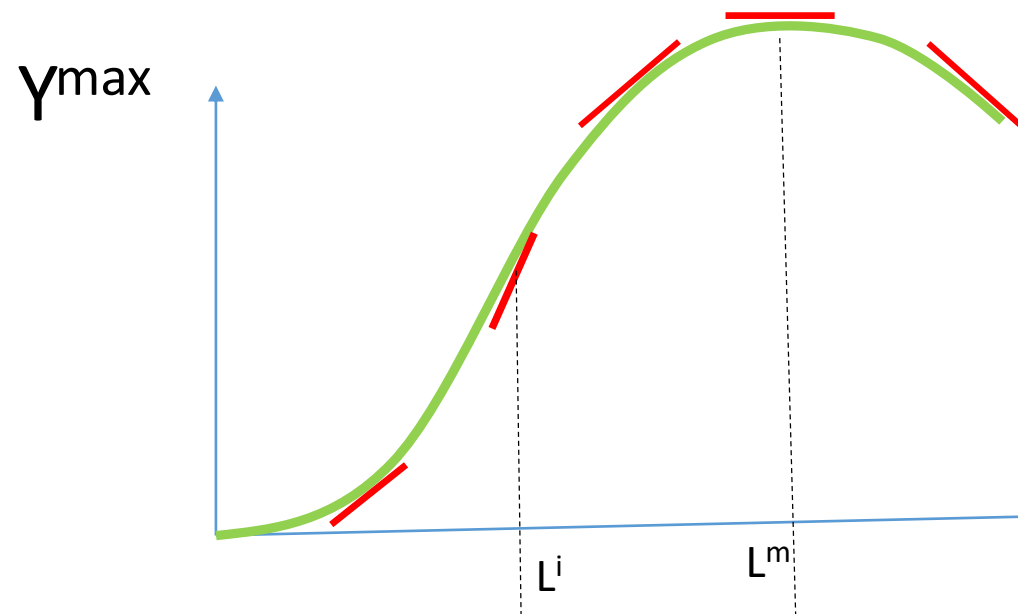
$$Y^{\max} = Y_0 = f(K, L)$$

MARGINAL
PRODUCTIVITIES
OF...

$$dY = 0 = dK \times \frac{\partial Y}{\partial K} + dL \times \frac{\partial Y}{\partial L} = f^K dK + f^L dL$$



Marginal Productivity, the slope of the PF



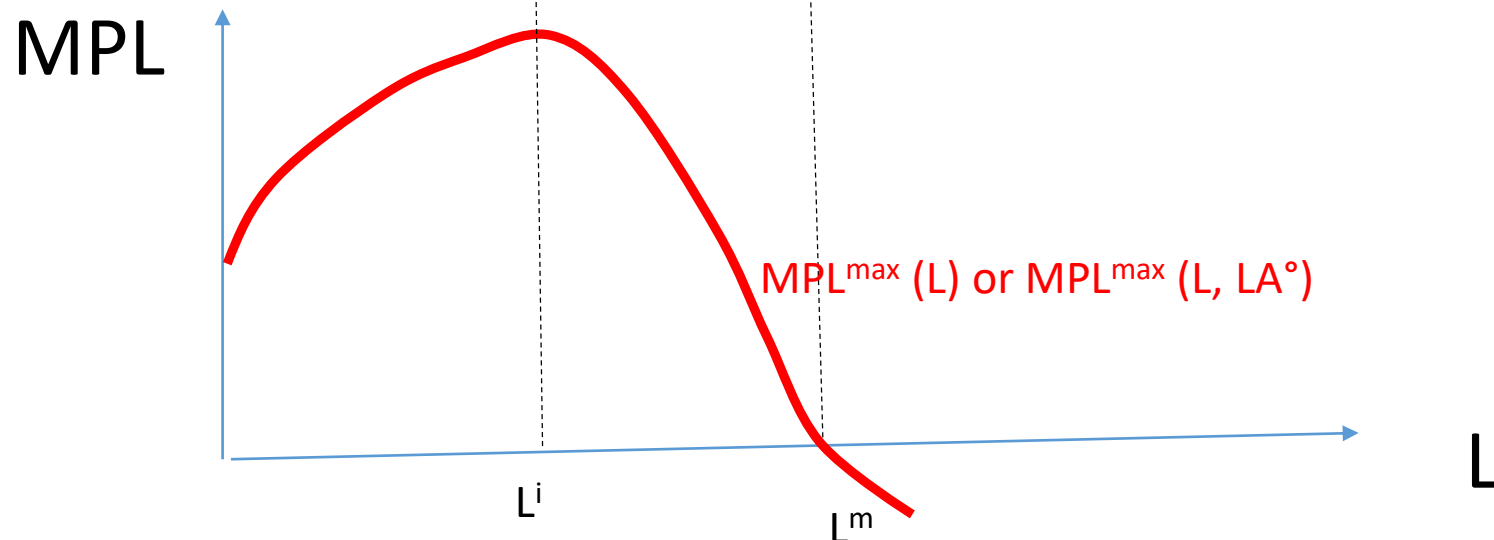
$Y^{\max} = f(L)$ or $= f(L, LA^{\circ})$ where LA is Land and L Labor

Where do I read MPL:

$$(\delta Y^{\max} / \delta L) \equiv \delta f(L) / \delta L \text{ or } \delta f(L, LA^{\circ}) / \delta L ?$$

NB: MPL changes with L : the MPL function.

NB: how is productivity of labor in the technologically inefficient part of the PF?



Why this shape?



Some calculations

If $MPL(13) = 80$ shirts
and
 $Y^{\max}(L=13) = 2700$ shirts

$$Y^{\max}(L=14) = ?$$

$$Y^{\max}(L=14) = 2780$$

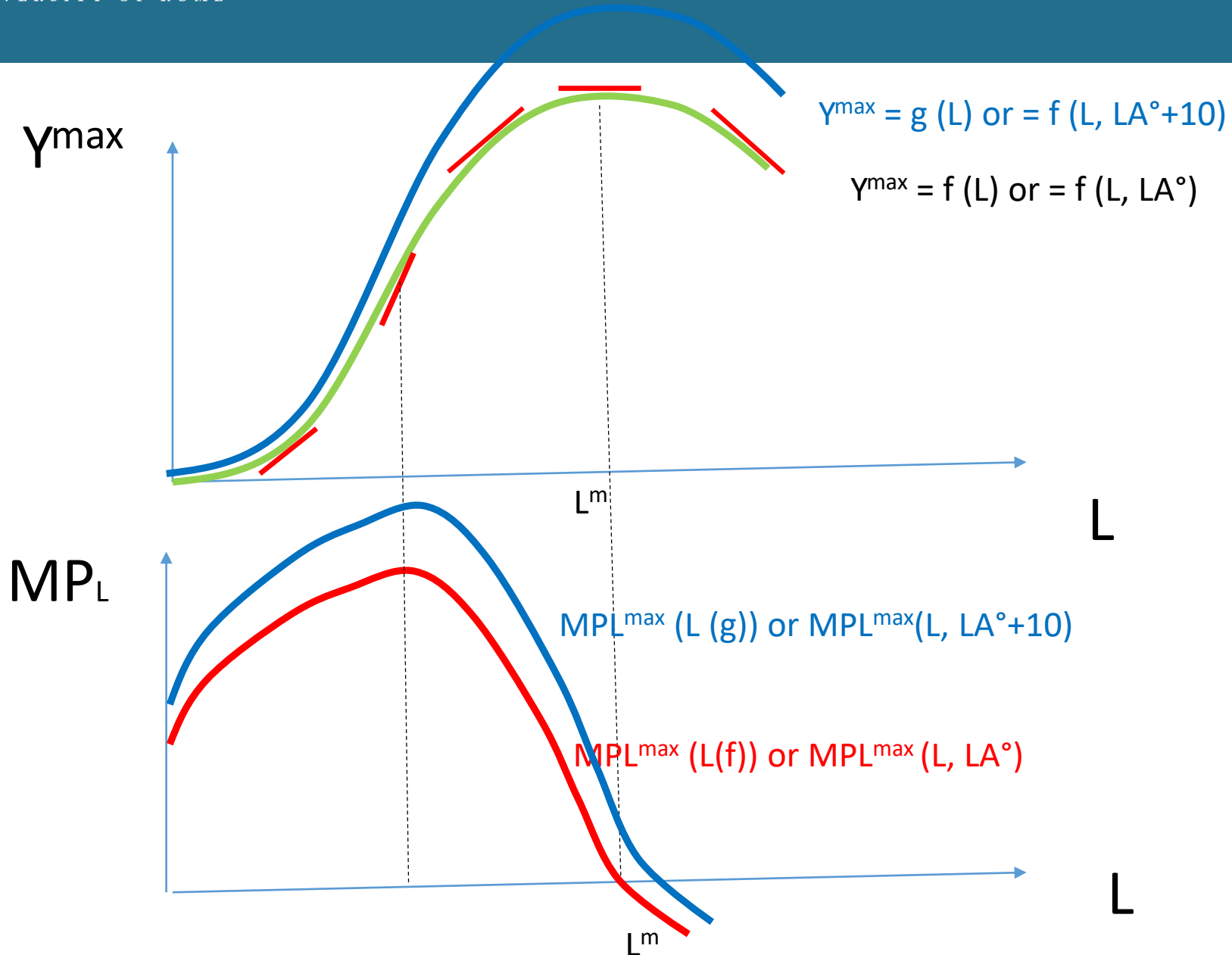
If $Y^{\max}(L=14) = 2780$ shirts
and
 $Y^{\max}(L=15) = 2800$ shirts

Then ...
 $MPL(14) = ?$

$$MPL(14) = 20 \text{ shirts}$$



Marginal Productivity and technical progress





Y/L = **Average** Productivity of Labor collapses as L grows?

Let them enter....

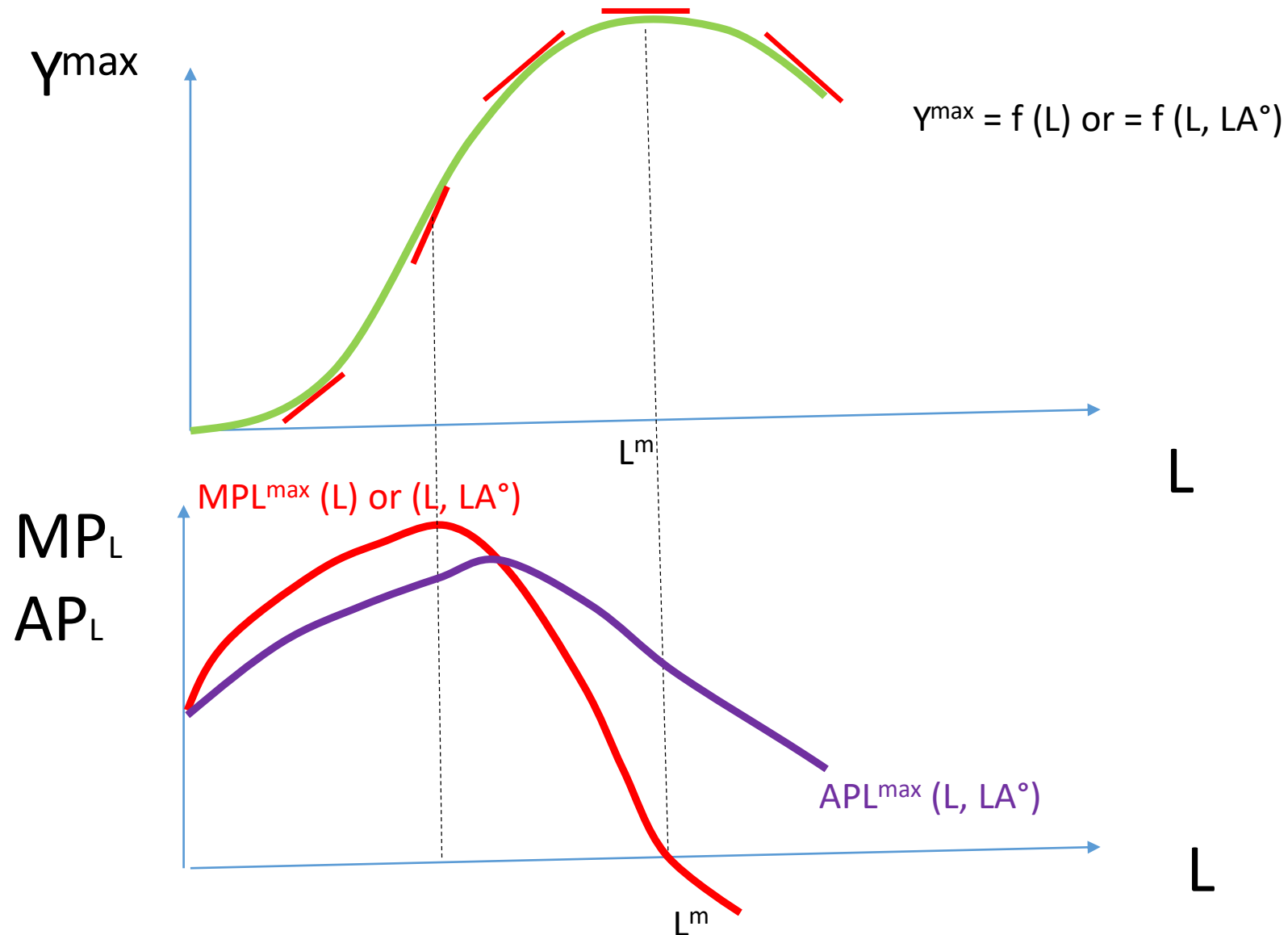
Average?

1,50
1,60
1,70
1,80
1,70
1,66
1,50

1,50
1,55
1,60
1,65
1,66
1,66
1,63

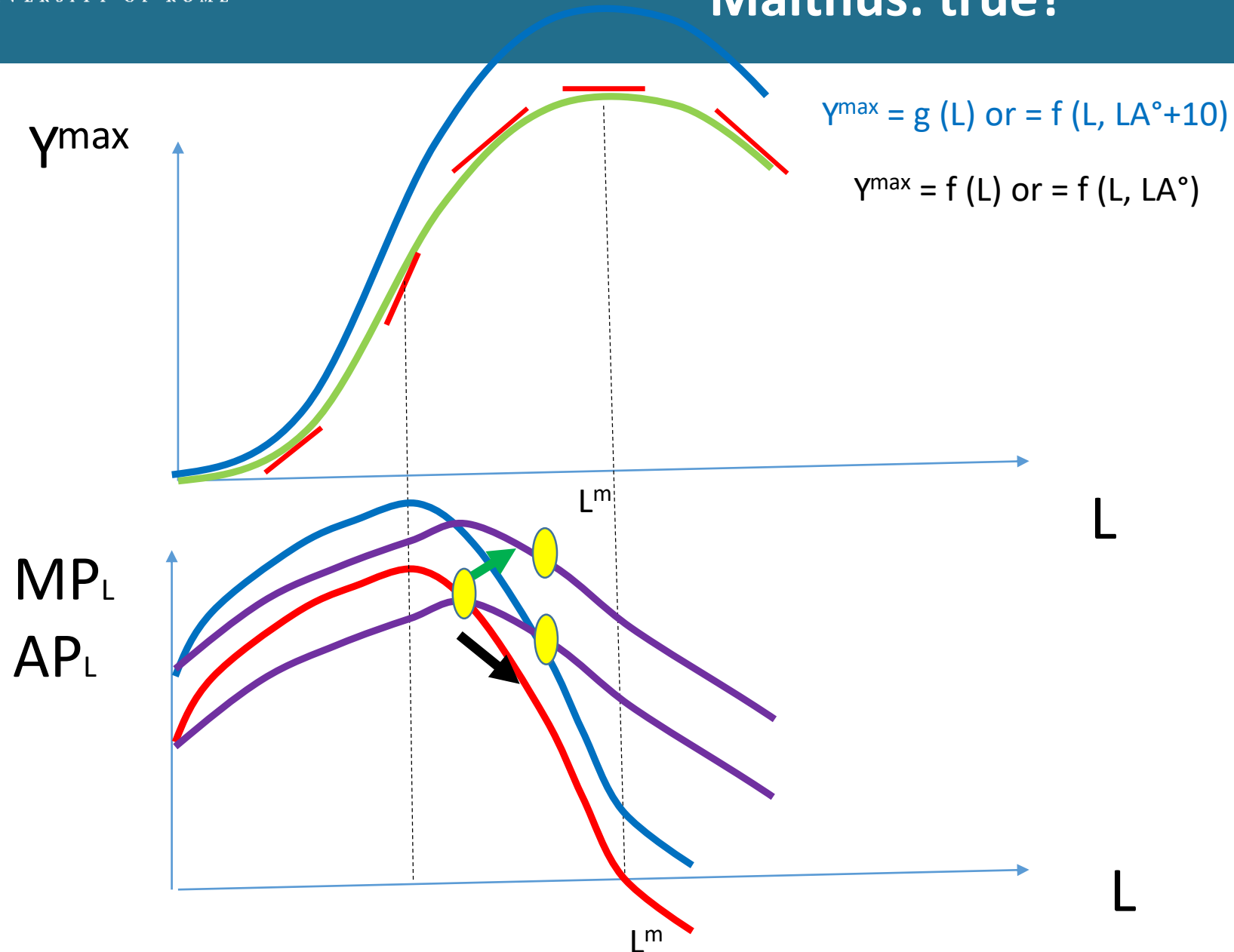


Average Productivity? A function





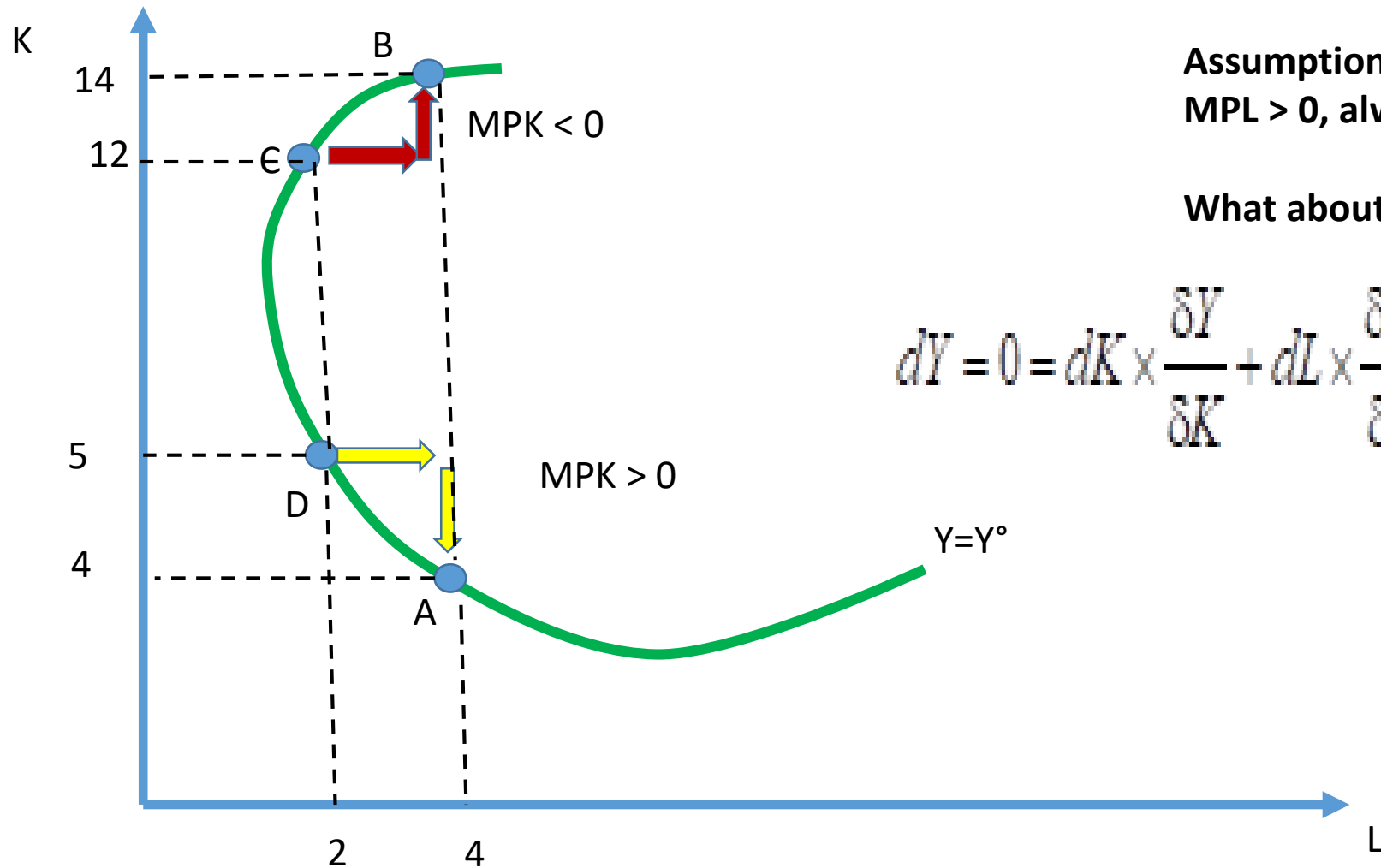
Malthus: true?



Will technology save
us from the
demographic
Malthusian trap?



The Isoquant, again



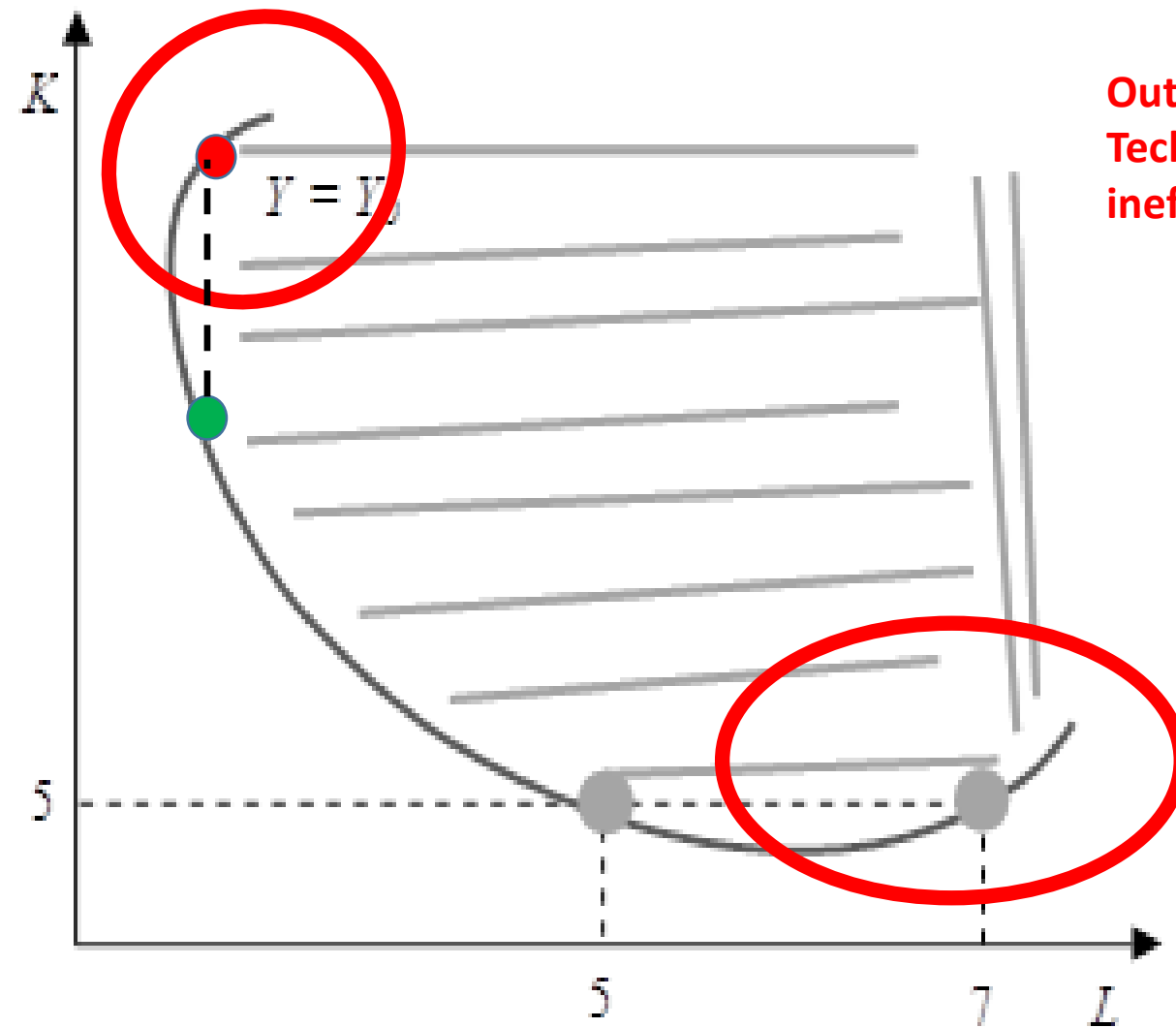
Assumption:
 $MPL > 0$, always

What about MPK ?

$$dY = 0 = dK \times \frac{\partial Y}{\partial K} + dL \times \frac{\partial Y}{\partial L} = f^k dK + f^l dL$$

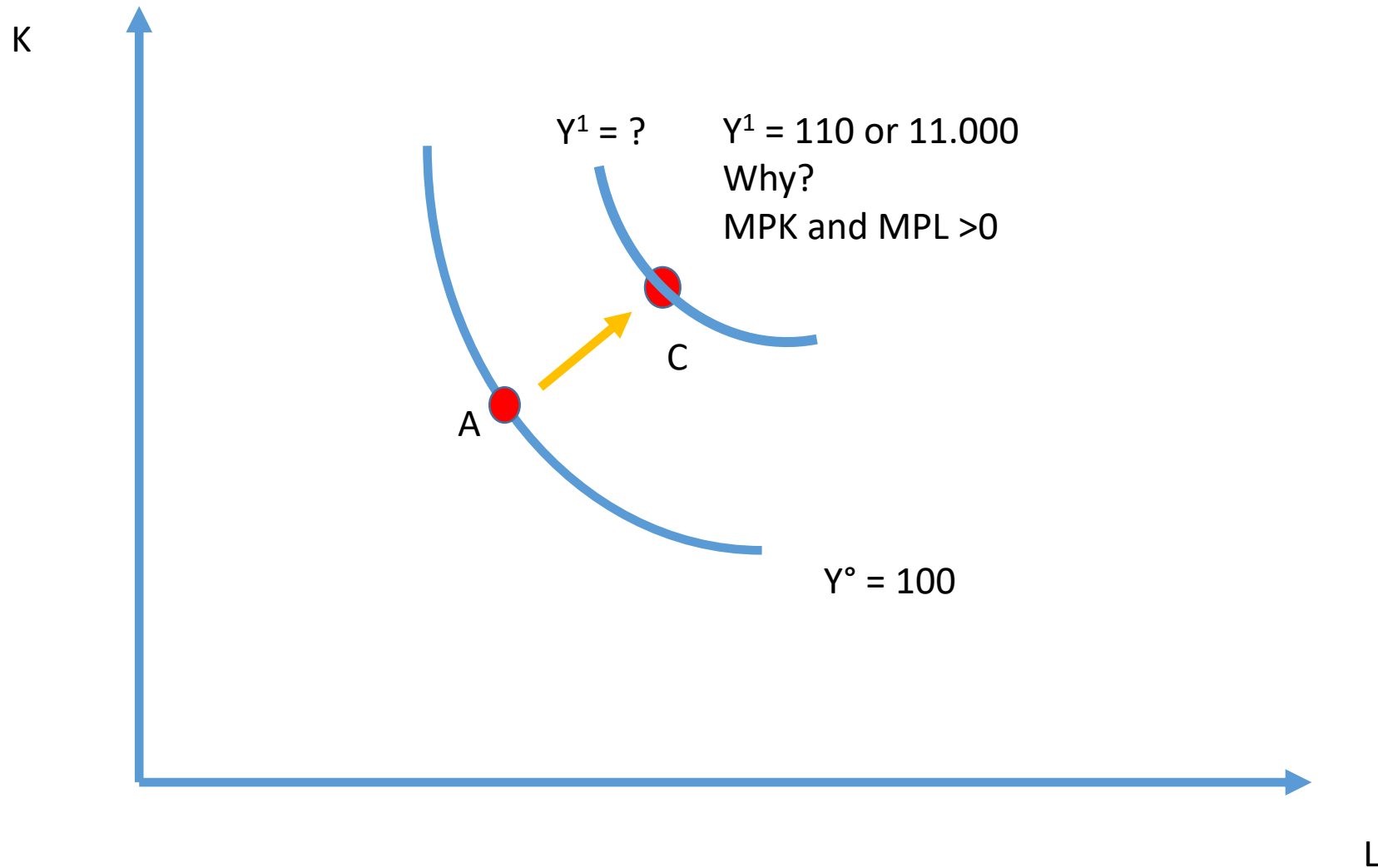


Positively sloped?



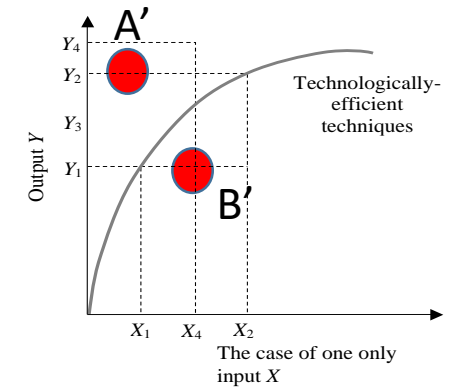
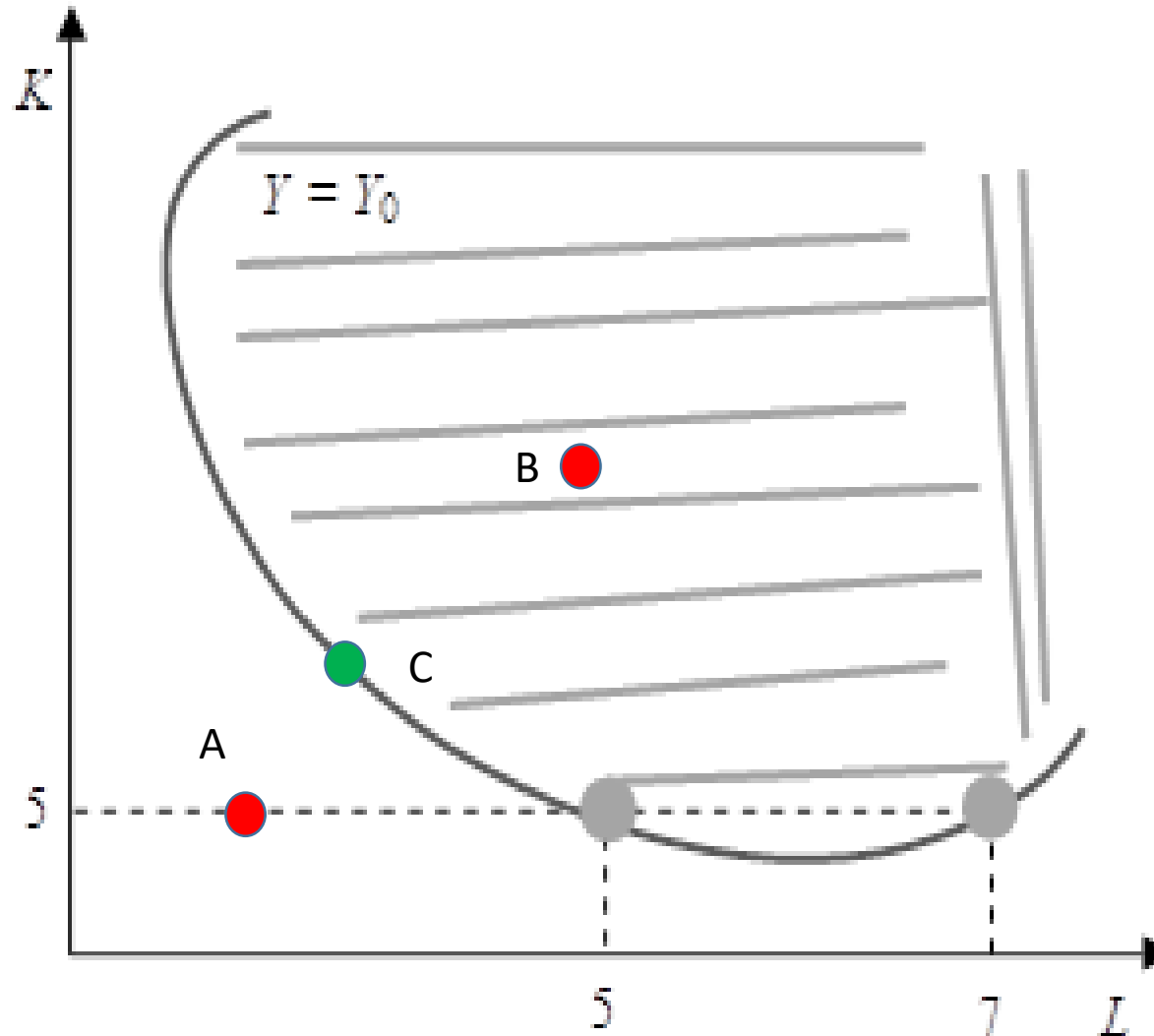


Isoquants: implications





An Isoquant: an output efficient locus



B': why produce Y_1 with so much input?

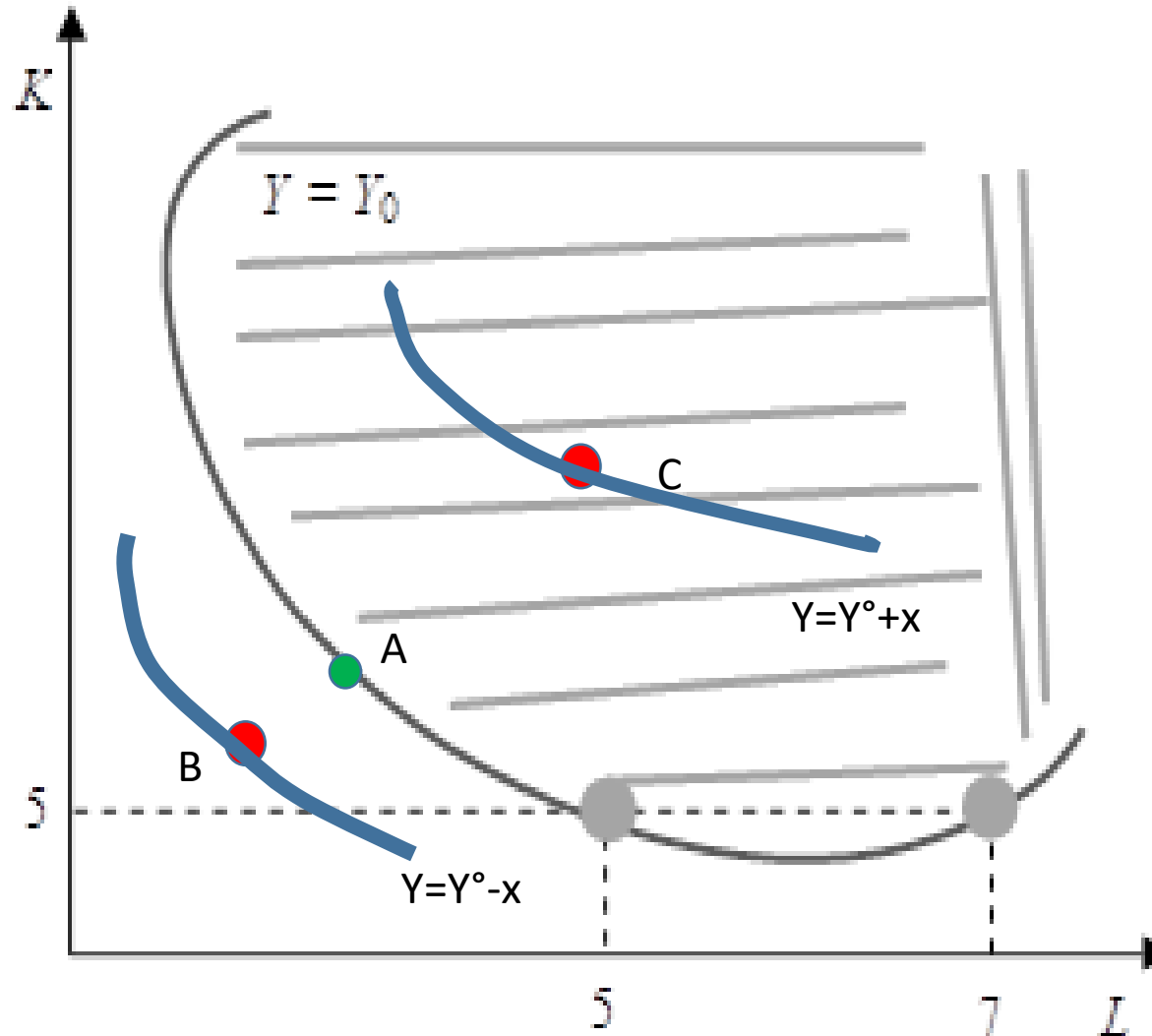
A': can't produce Y_2 with that input.



PS: a further clarification

B: technologically possible
(for $Y=Y^0-x$)

C: output and
technologically efficient
(for $Y=Y^0+x$)



A: output efficient (and
technologically efficient)
for $Y=Y^0$

B: technologically
impossible (for $Y=Y^0$)

C: output and
technologically inefficient
(for $Y=Y^0$)